

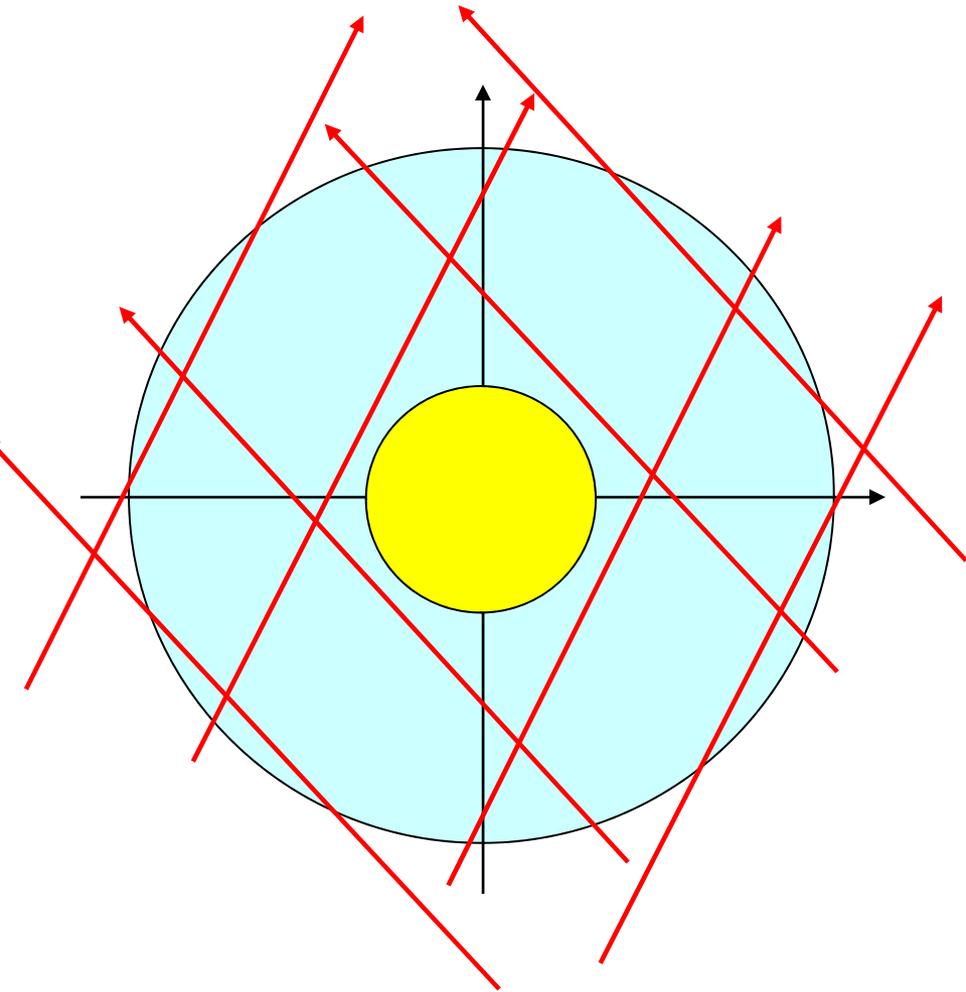
Impact of CME on the 3D coronal electron density

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Scalar Field Tomography: Regularization



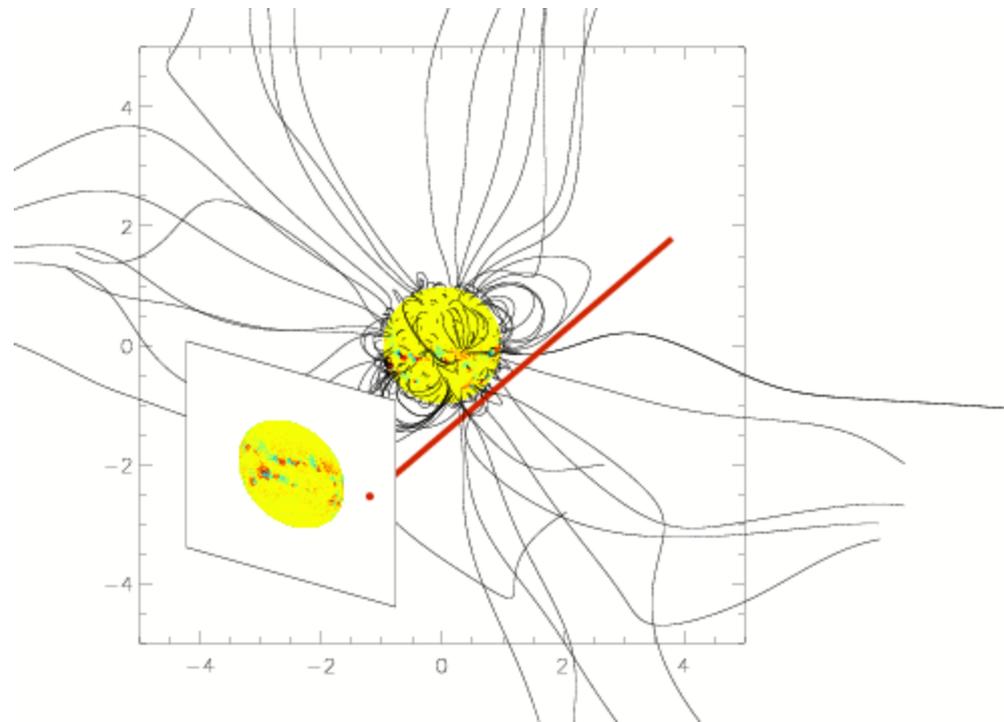
- Problem is badly conditioned, e.g. number of unknown variables exceeds the number of equations
- Random noise in the data

In result, there is possible no unique reconstruction. Problem is ill-conditioned.

$$F = \sum_{i=1}^{\text{Number of Rays}} \left(I_i^{\text{sim}} - I_i^{\text{obs}} \right)^2 + \mu \cdot F_{\text{reg}} =$$
$$= |\mathbf{A} \cdot \mathbf{X} - \mathbf{Y}|^2 + \mu \cdot |\mathbf{L} \cdot \mathbf{X}|^2$$

Tomography for the Solar Corona

- Problem is badly conditioned, e.g. number of unknown variables exceeds the number of equations
 - Noise in the data
- } ⇒ Regularization should be applied
- Stationarity of the corona during the observations must be assumed. Coronal observations are restricted to only one-three view direction in ecliptic plane.



Tomographic Reconstruction for the Solar Corona

Input:

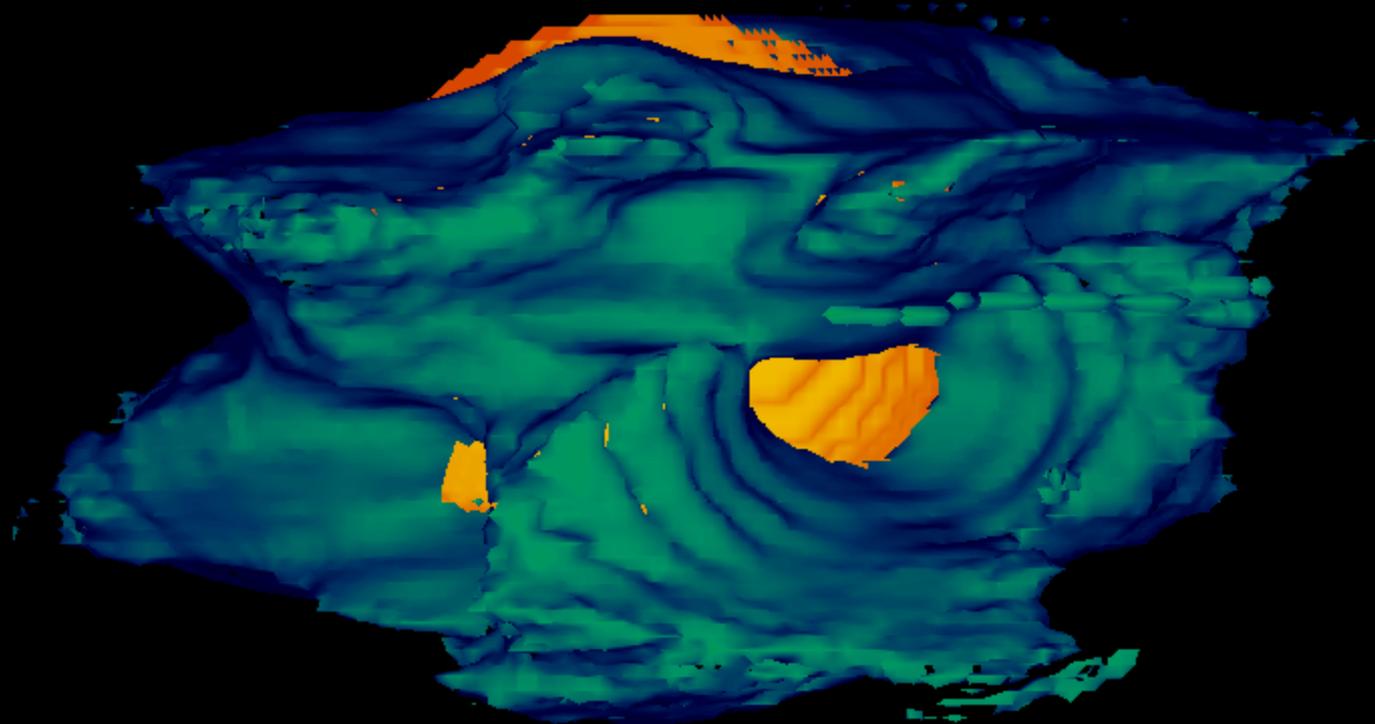
- COR1 observations: pB images, 341x341 pixels
- Two weeks, ~ twice per day
- Roll minimum background subtracted
- Starting point for the iterations is flat field (constant density)

Output:

- 3D Electron Density Distribution: 128x128x128 pixels

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 340.00^\circ$

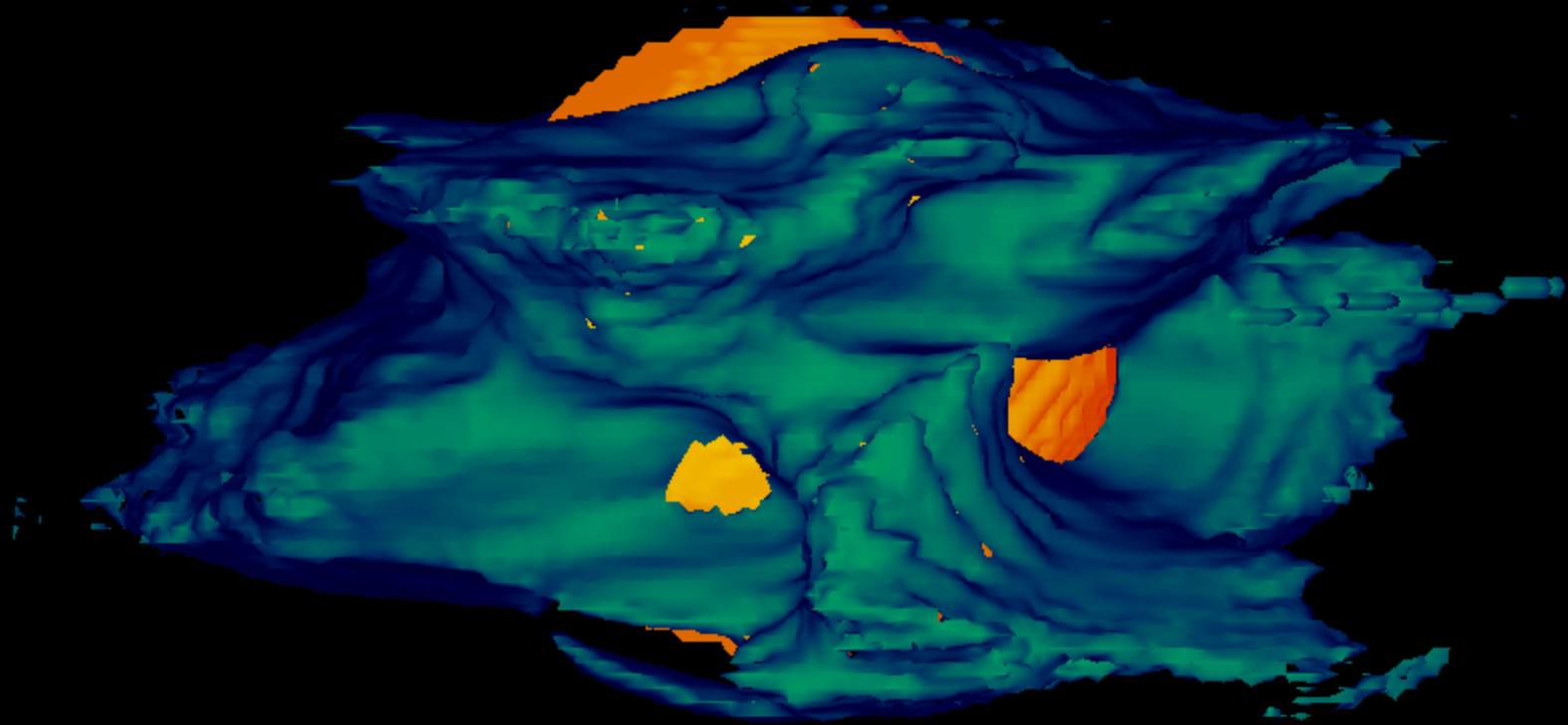
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 320.00^\circ$

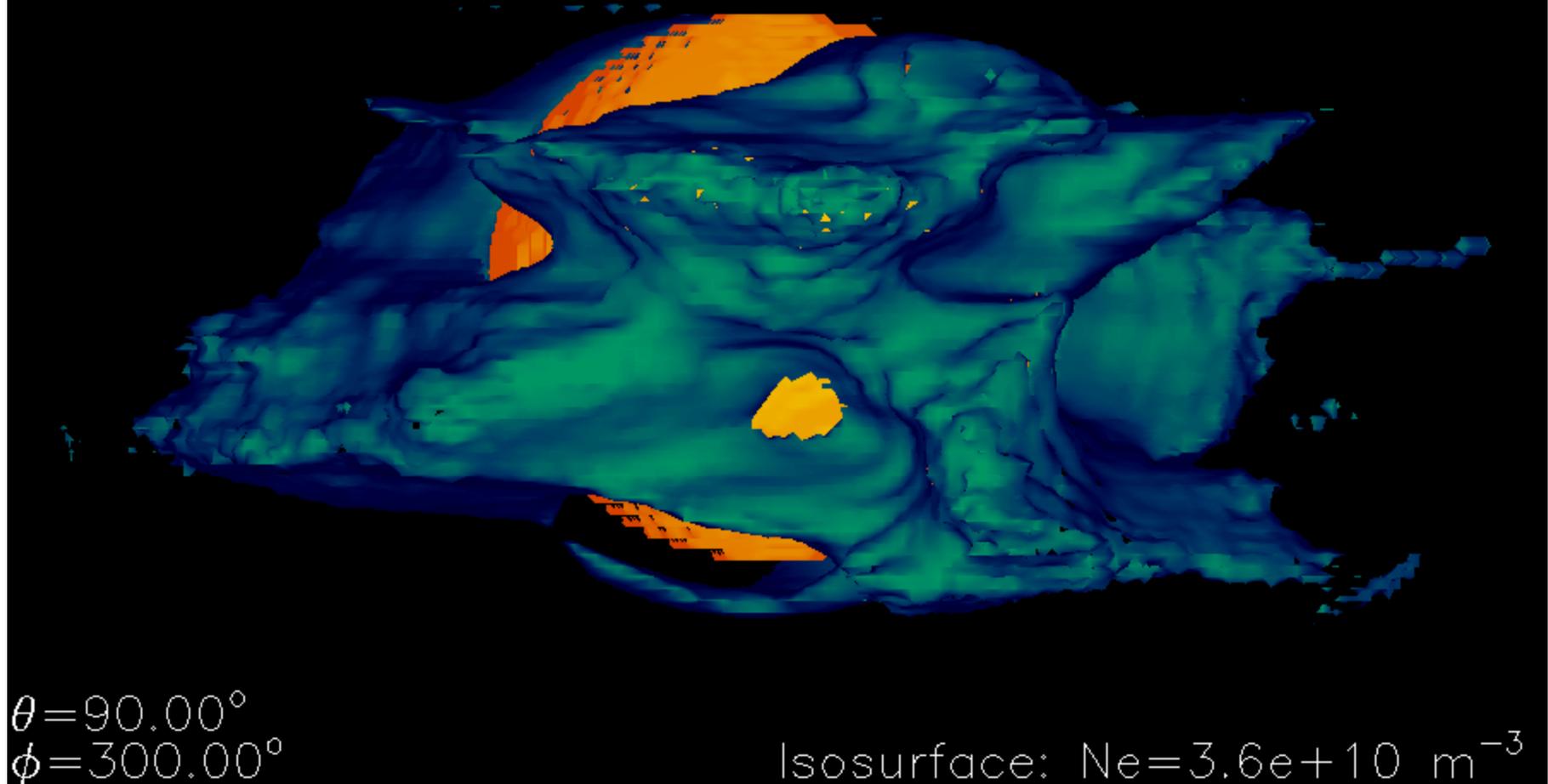
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6e+10 \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 300.00^\circ$

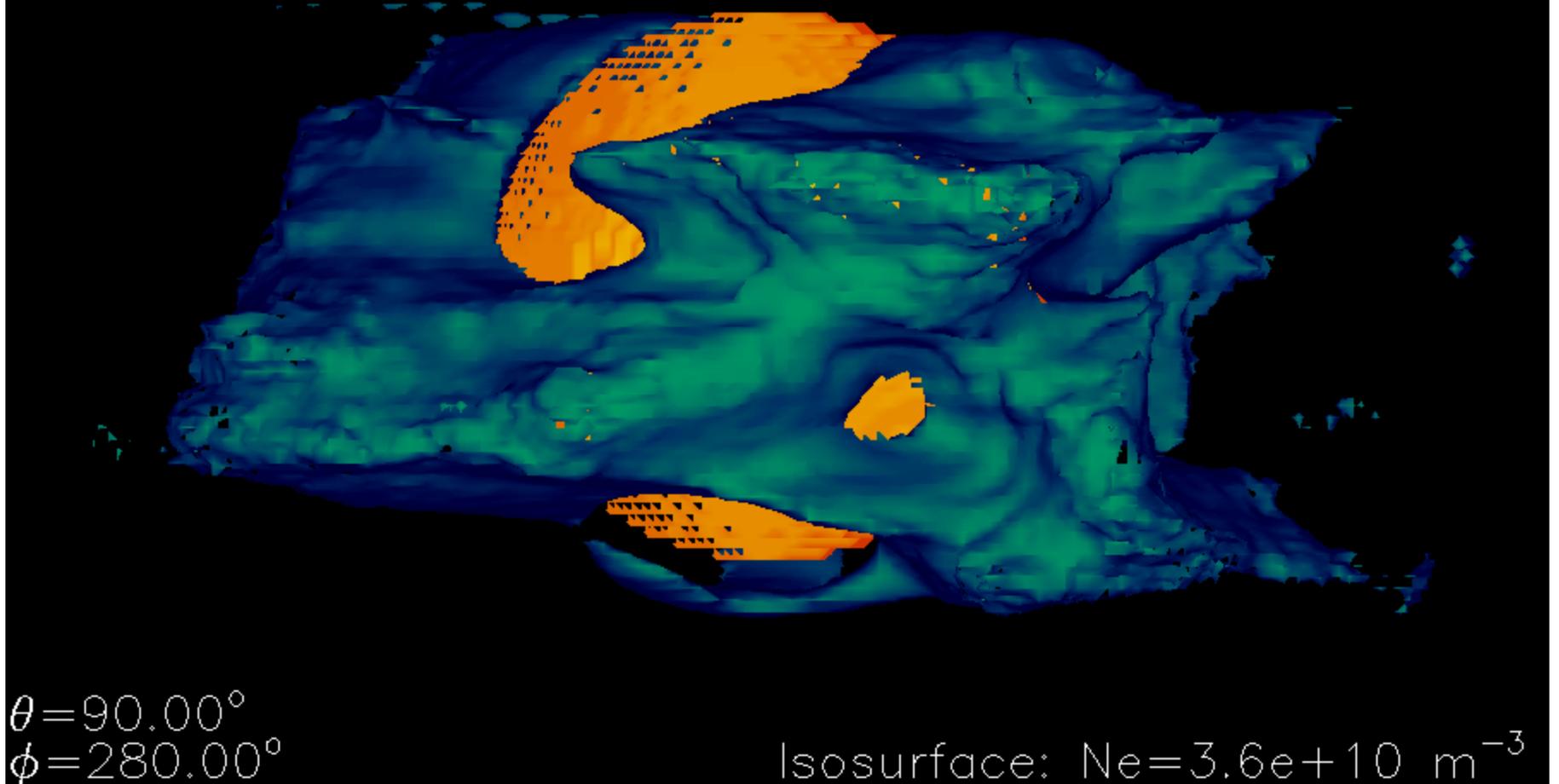
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 280.00^\circ$

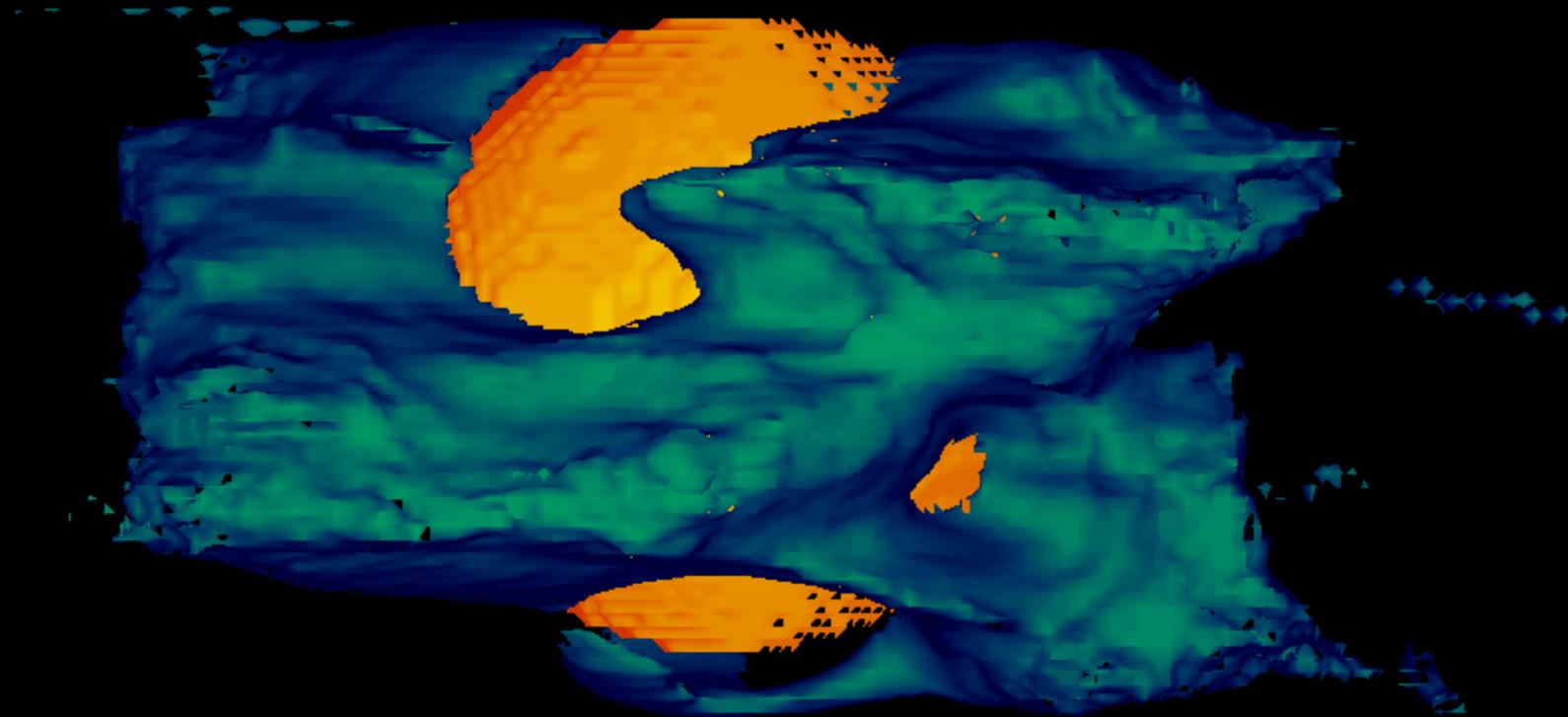
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 260.00^\circ$

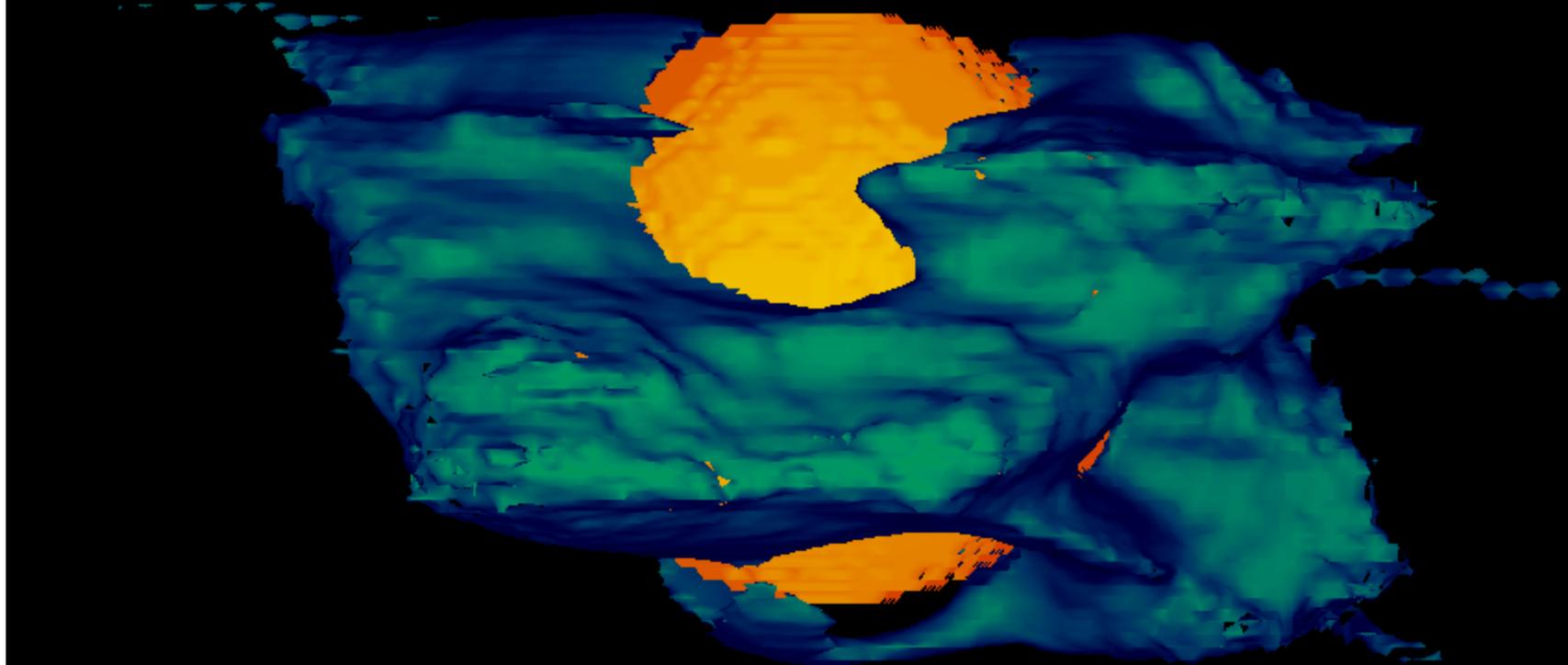
Isosurface: $N_e = 3.6 \cdot 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6e+10 \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 240.00^\circ$

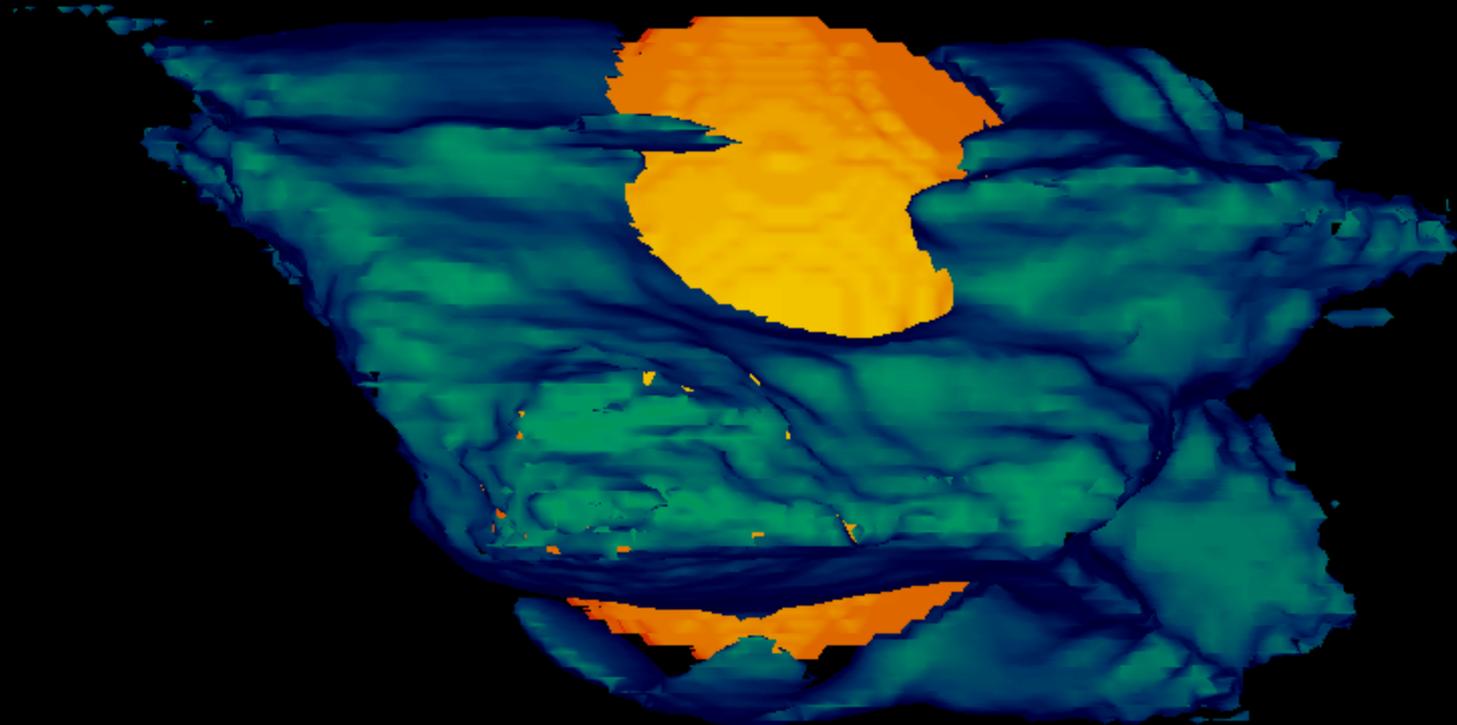
Isosurface: $N_e = 3.6 \cdot 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6e+10 \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 220.00^\circ$

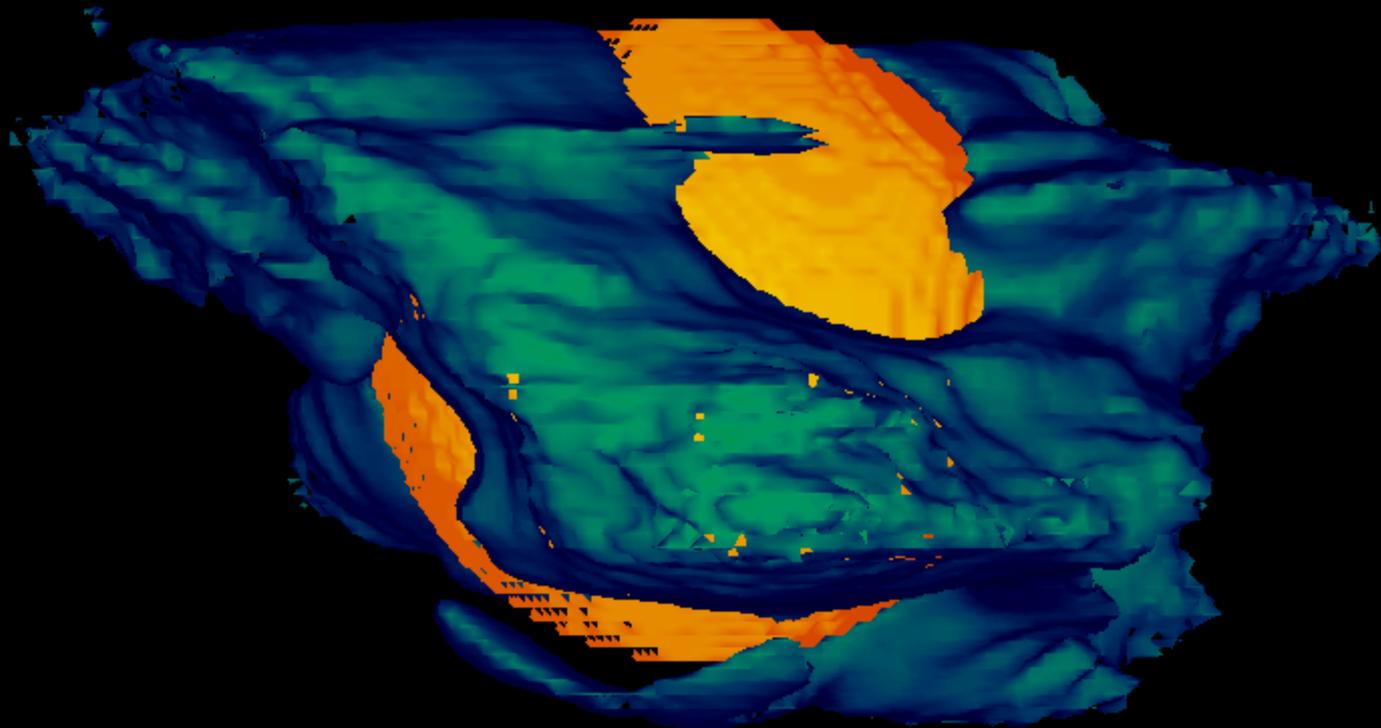
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6e+10 \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058



$\theta = 90.00^\circ$
 $\phi = 200.00^\circ$

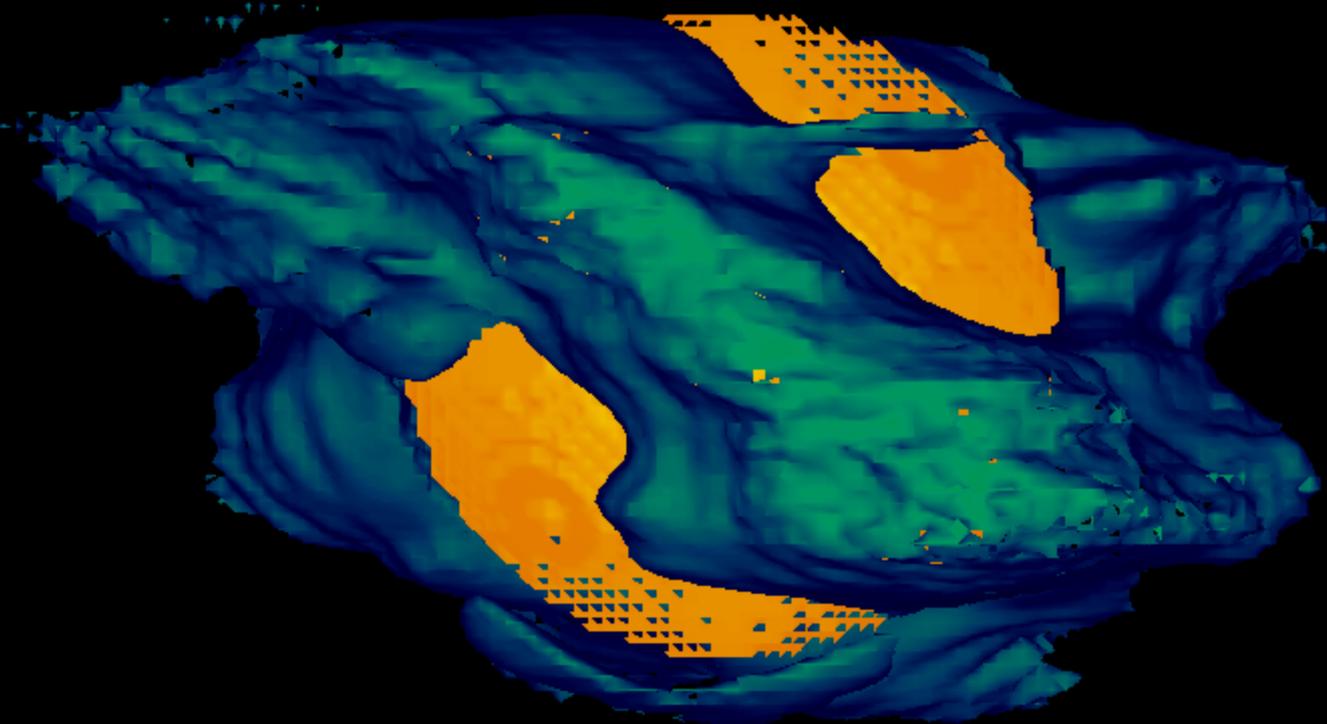
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$

Reconstruction of the Electron Density

Reconstruction: CAR 2058

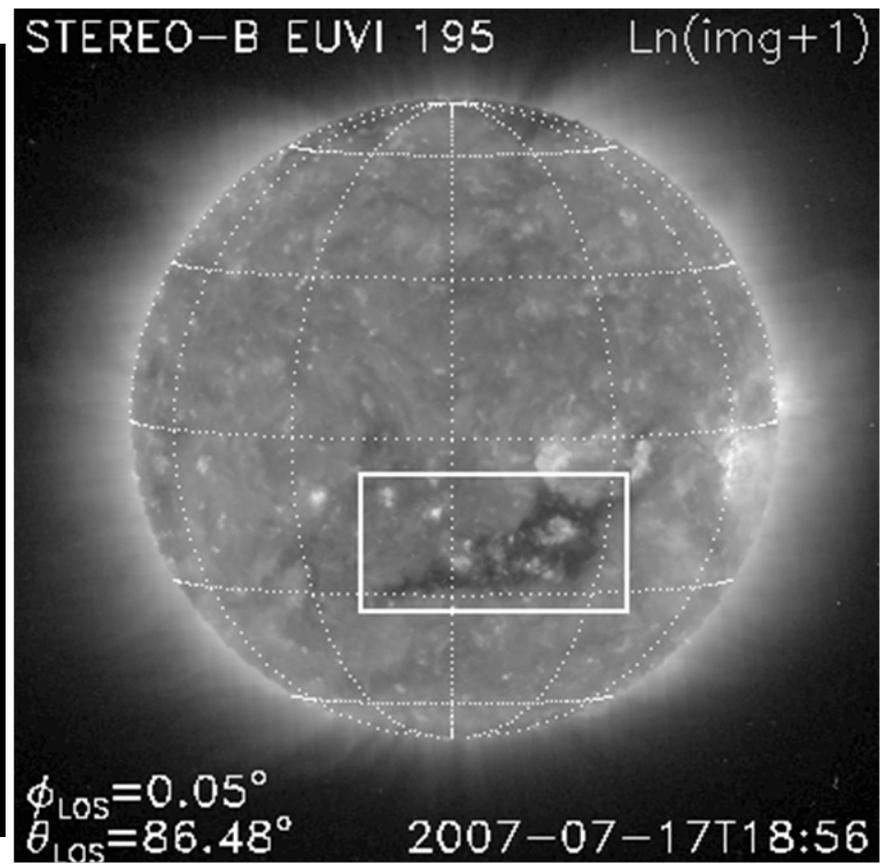
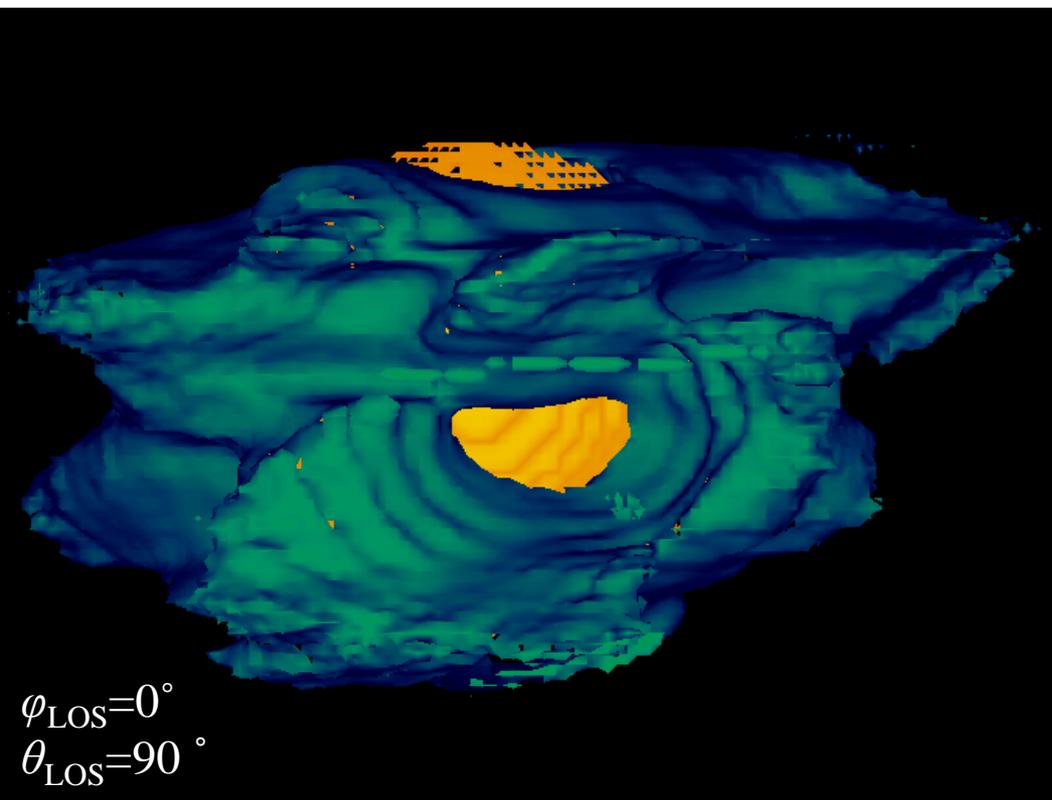


$\theta = 90.00^\circ$
 $\phi = 180.00^\circ$

Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

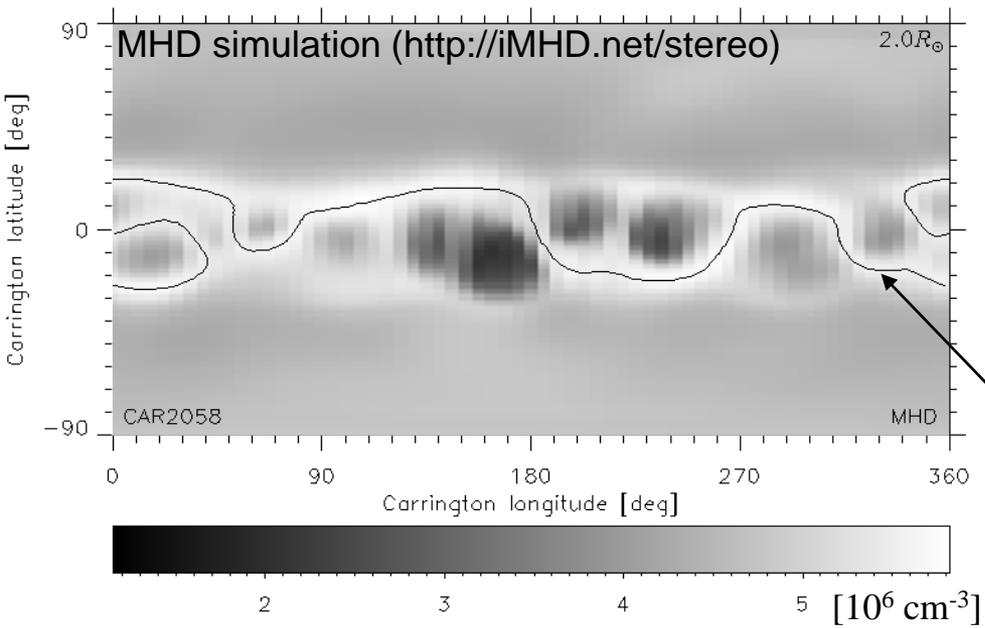
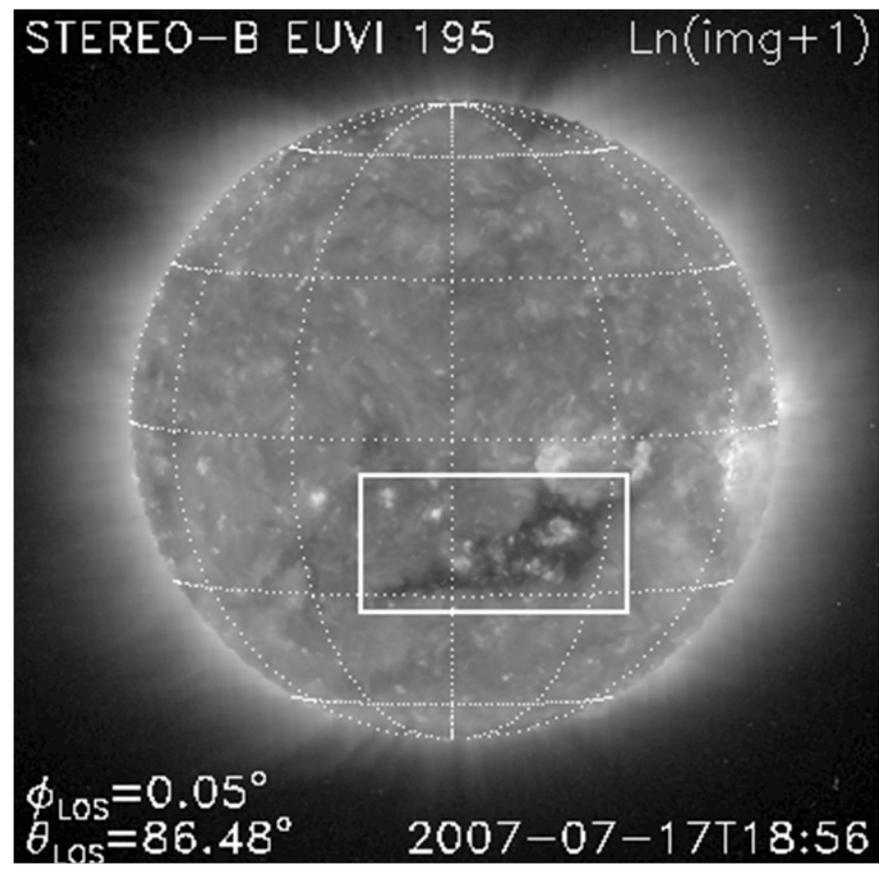
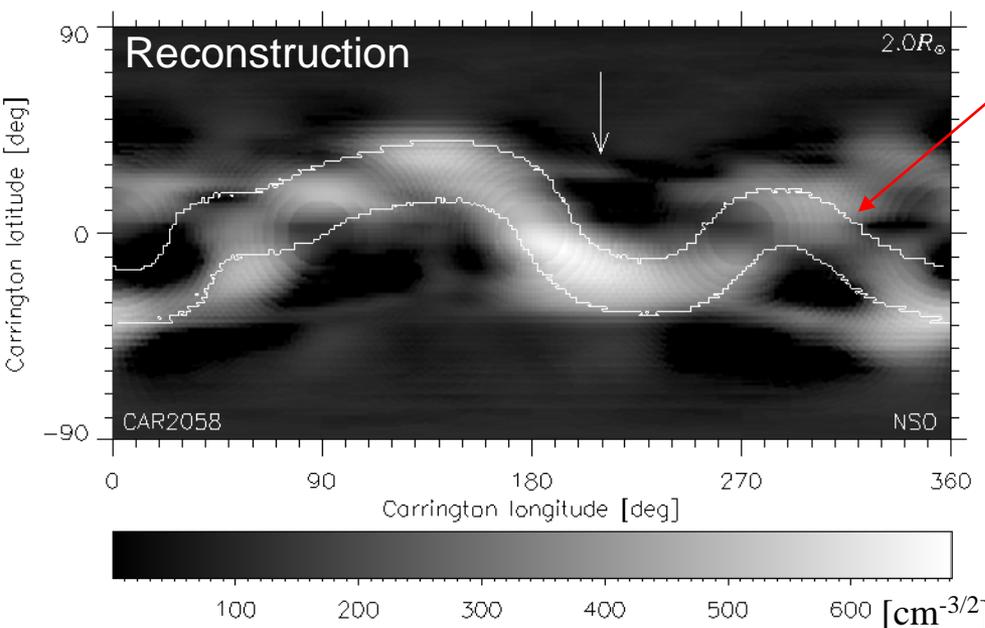
Isosurface: $N_e = 3.6 \times 10^{10} \text{ m}^{-3}$

Inner spherical boundary is at $1.5 R_{\text{sun}}$



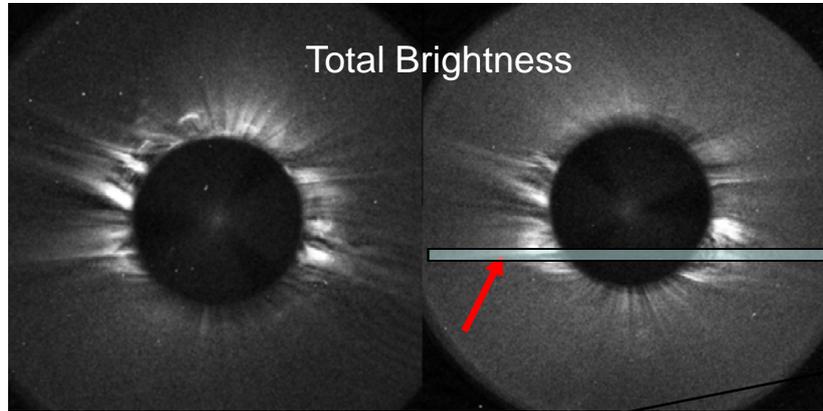
Spherical cross-section at $2 R_{\text{sun}}$

White contour lines are boundary between open and closed magnetic field lines in potential field reconstruction with $SS=2.5R_{\text{sun}}$



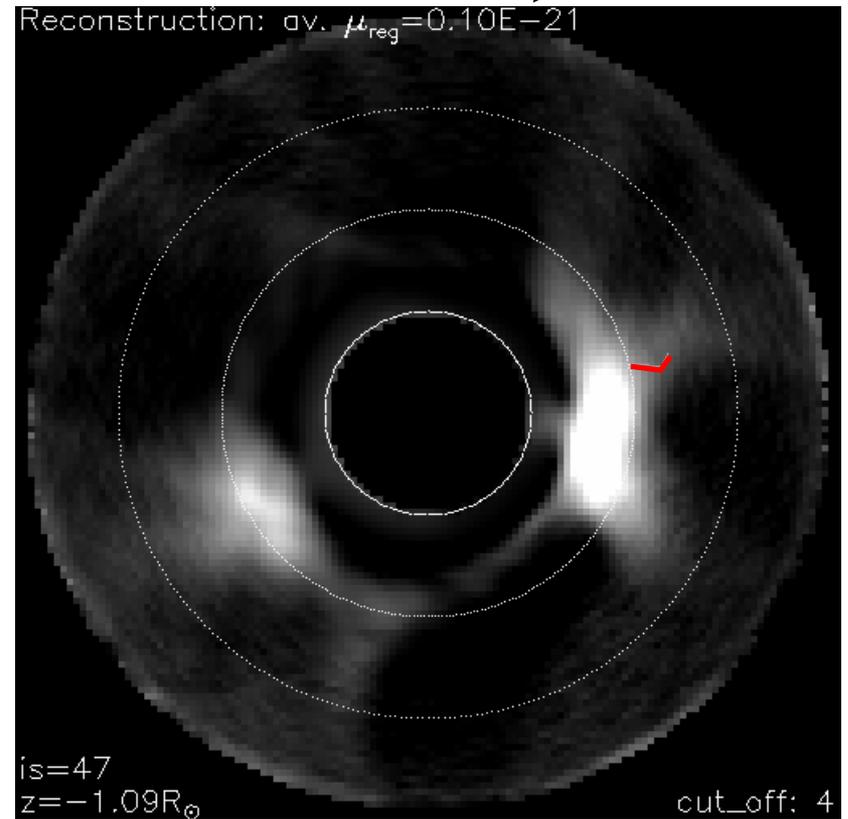
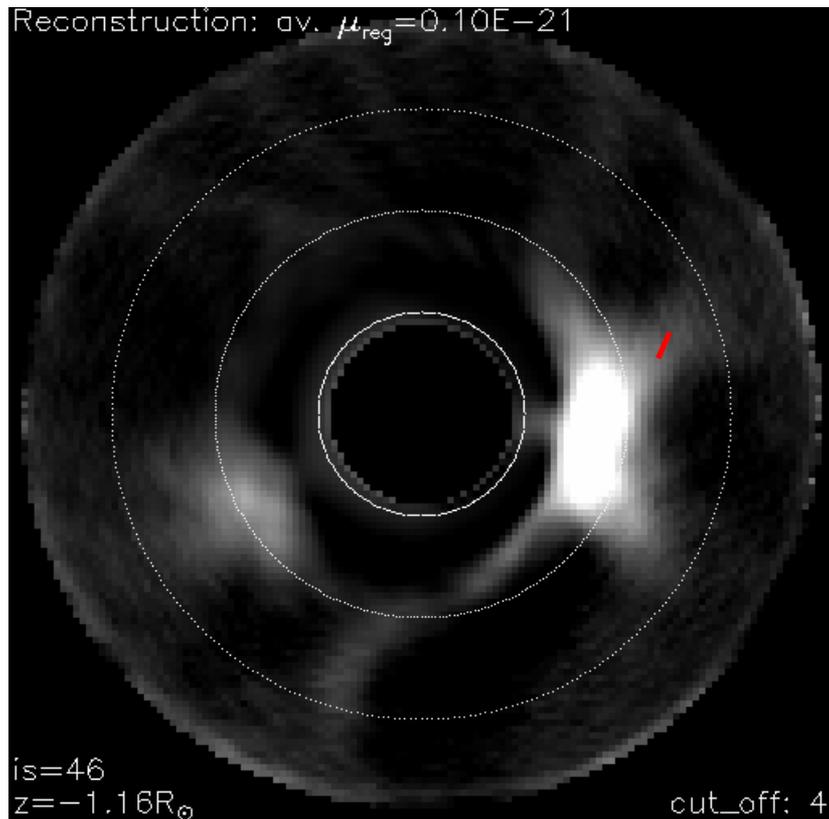
Black contour line is the magnetic neutral line

3D Electron Density: Streamer



Red lines on pictures below are the streamer's positions found by triangulation method

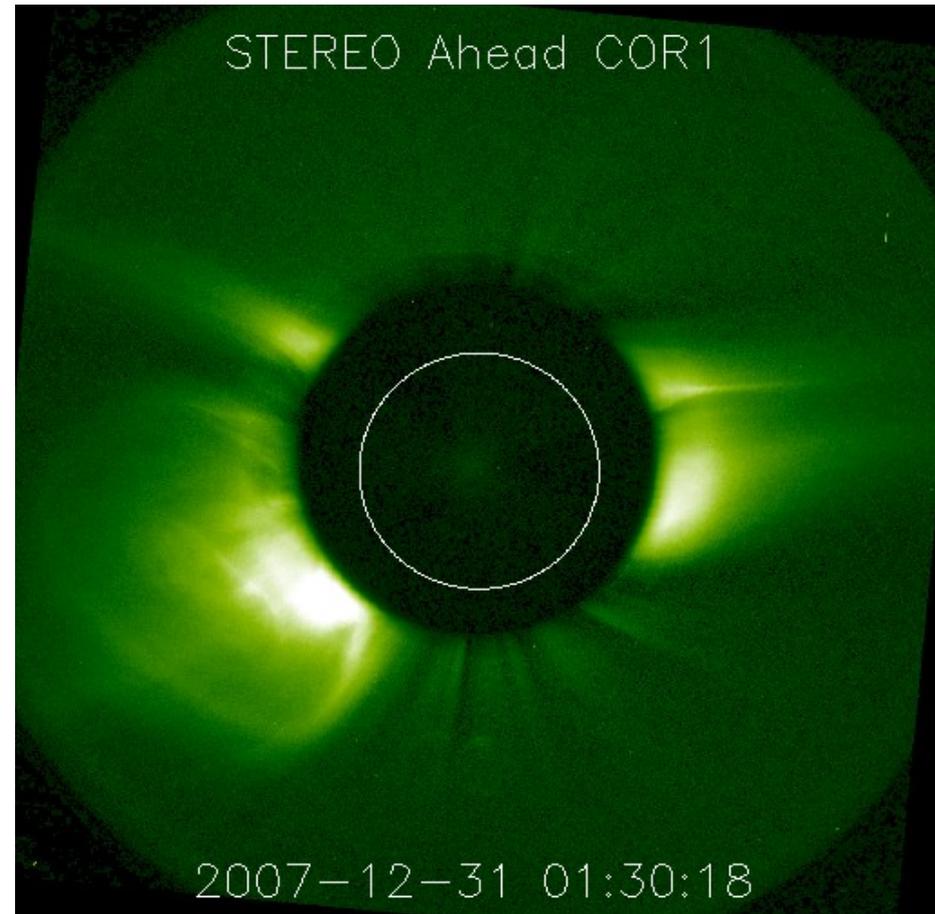
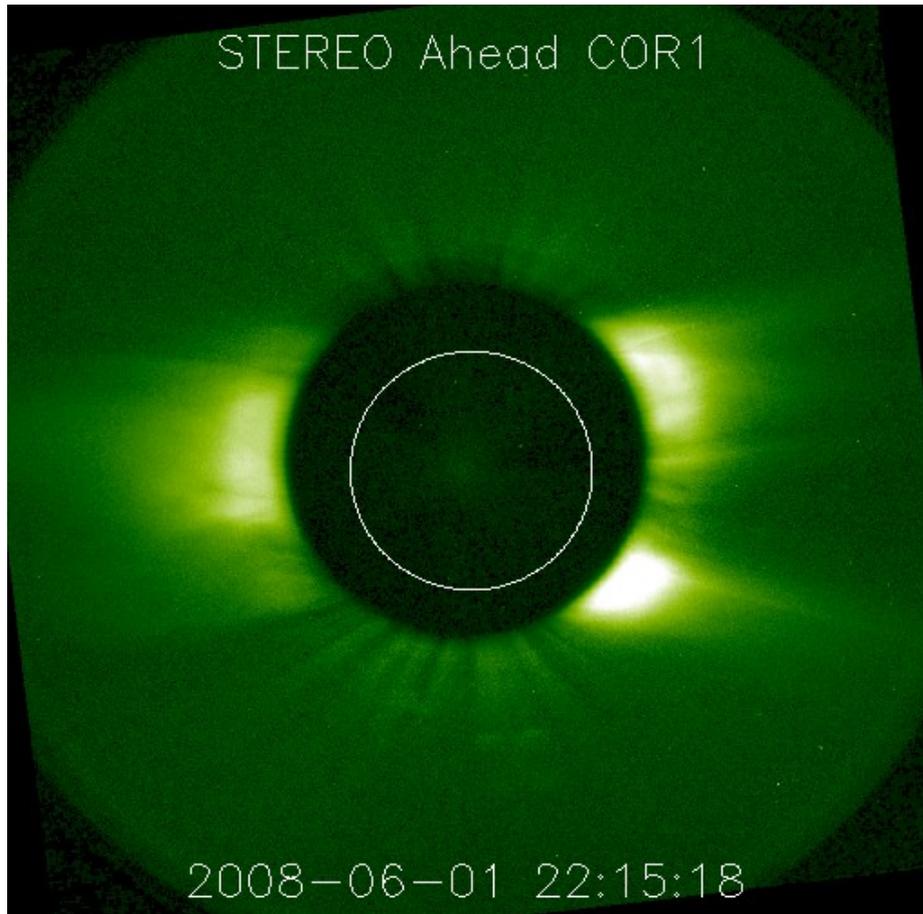
Cross-section by plane perpendicular to z -axis (carrington system)



Reconstruction of the electron density for the Solar Corona: pre- and post-CME corona

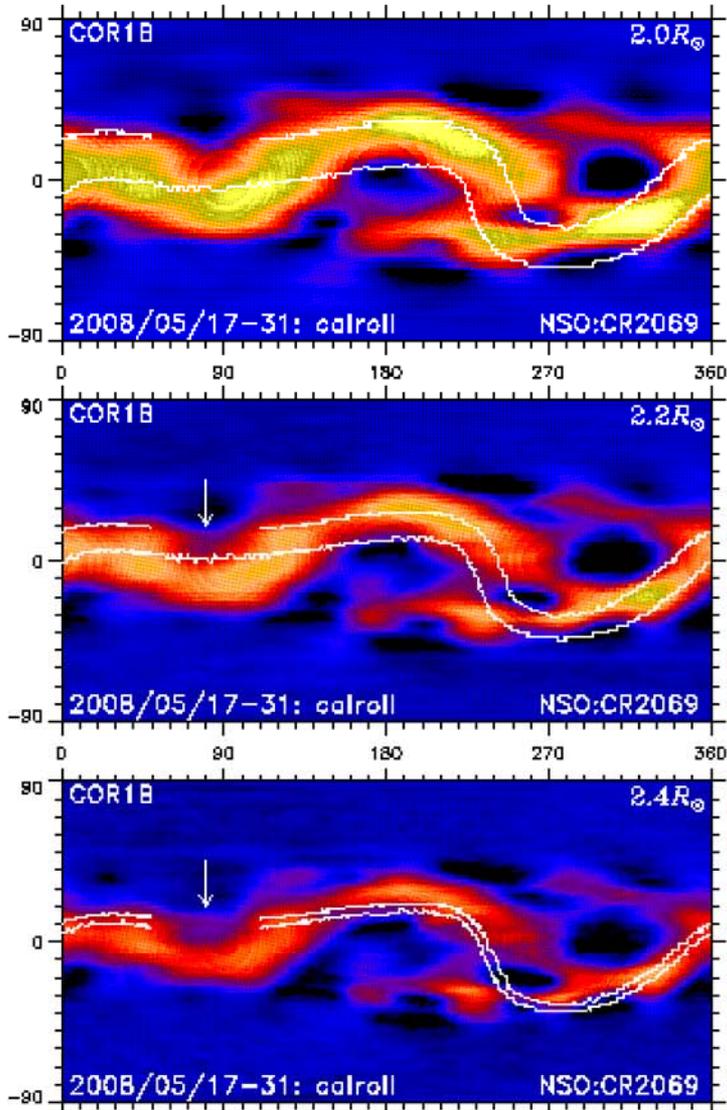
CME: June 1st, 2008

CME: Dec 31st, 2007

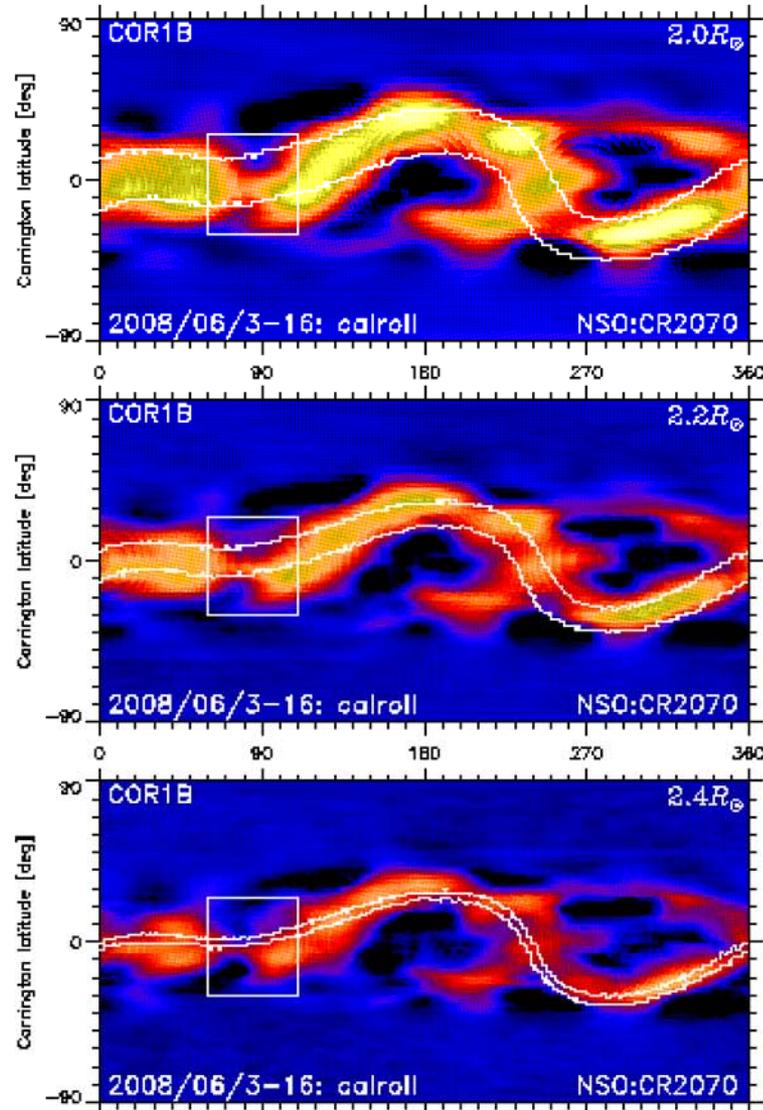


CME: June 1st, 2008

Before the CME



After the CME



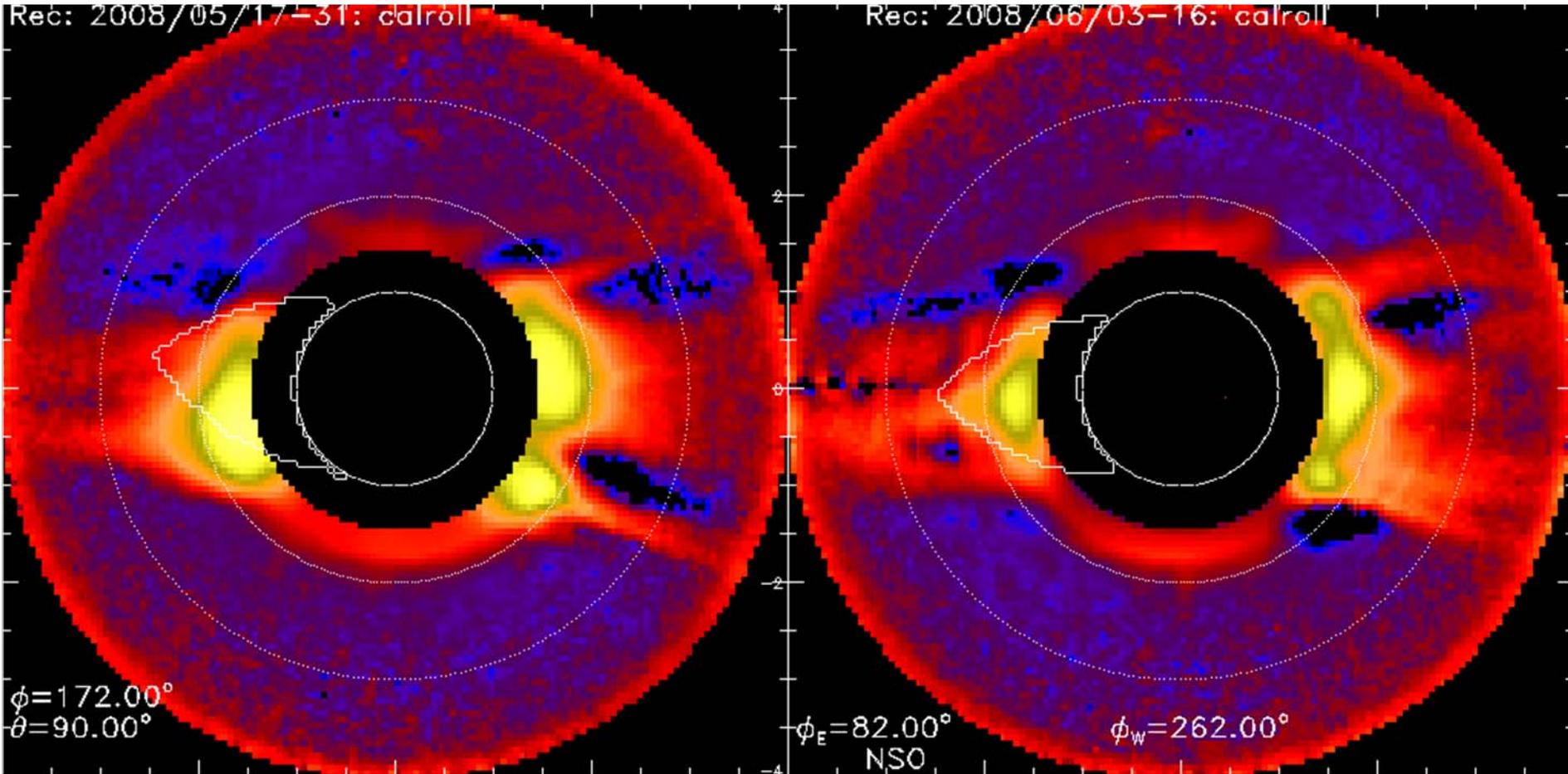
Mass lost by
the streamer:
 9×10^{14} g

CME mass in
COR1 FOV:
 $\sim 9 \times 10^{14}$ g
(Robbrech et al 2009)

CME: June 1st, 2008

Before the CME

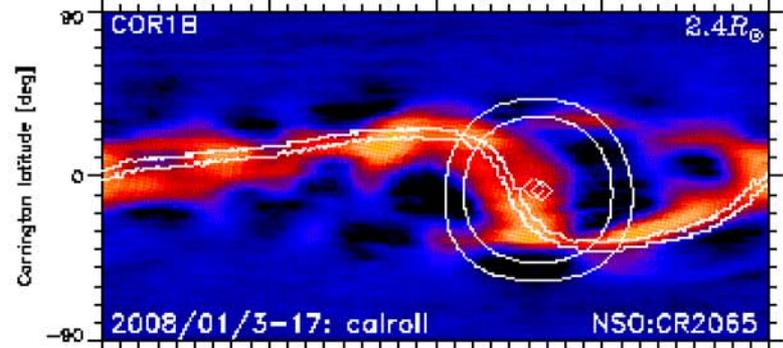
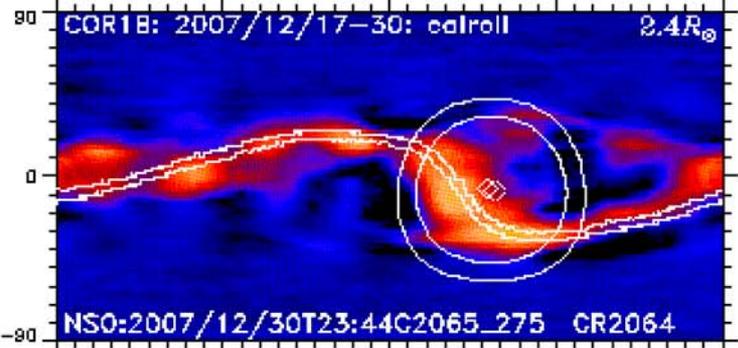
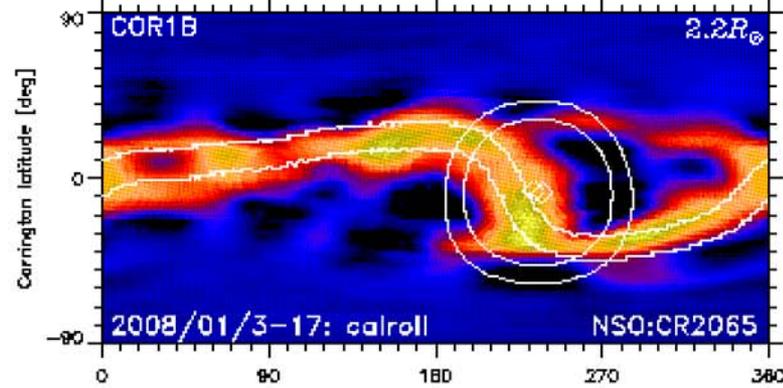
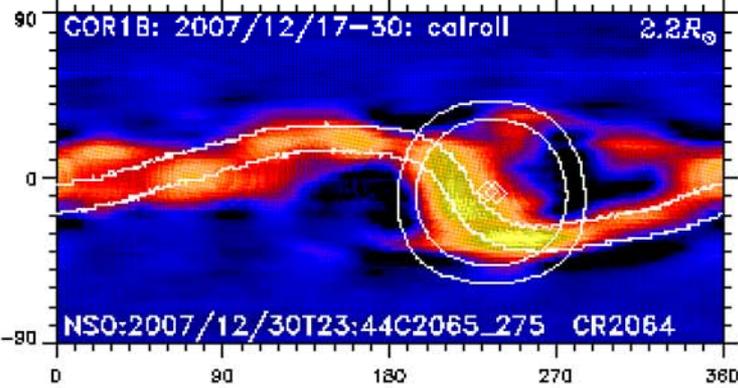
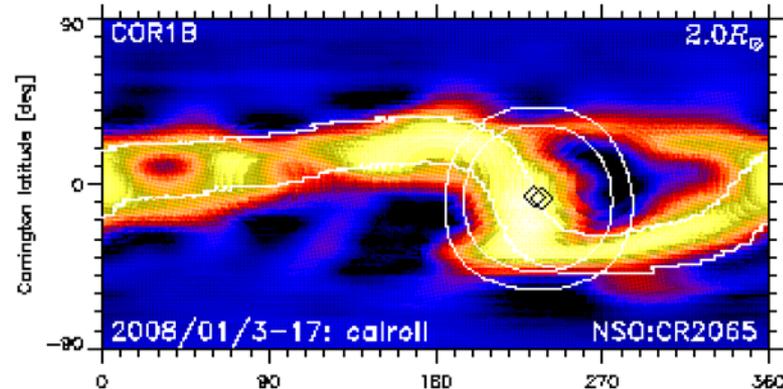
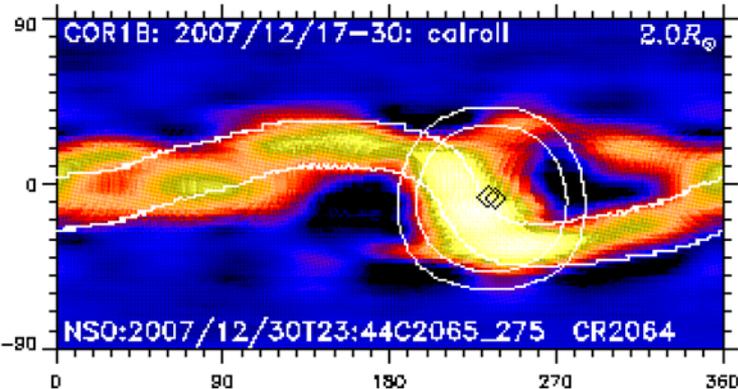
After the CME



CME: Dec 31st, 2007 & Jan 2, 2008

Before the CME

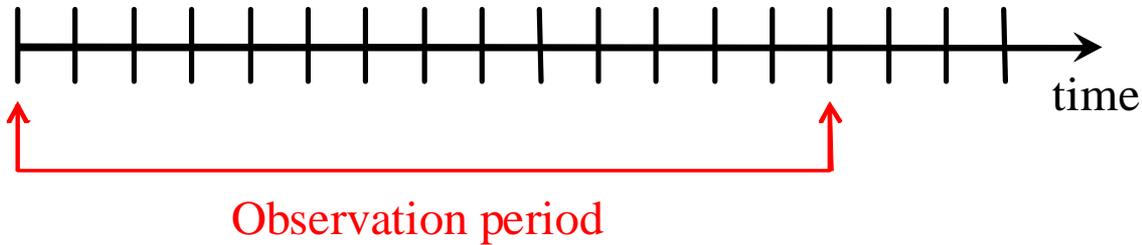
After the CMEs



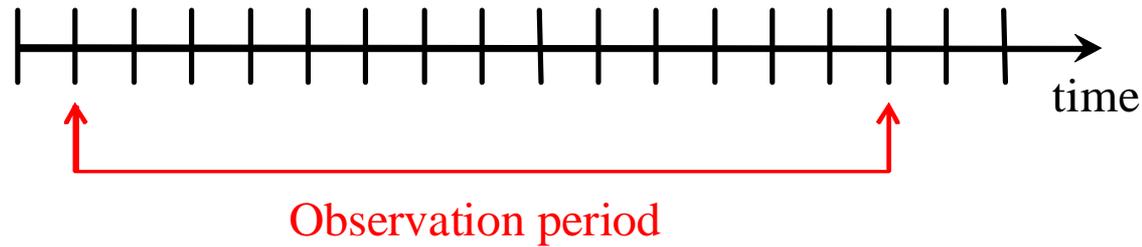
Mass lost:
 1.1×10^{15} g

CME masses:
 4.3×10^{15} g
 1.1×10^{15} g

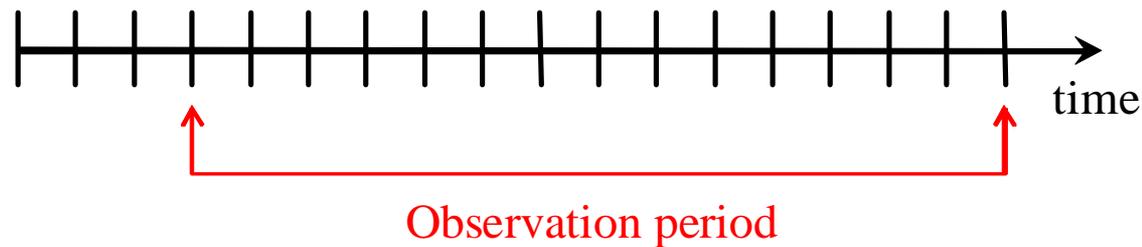
Reconstructions for the whole year of 2008



Reconstruction No 0

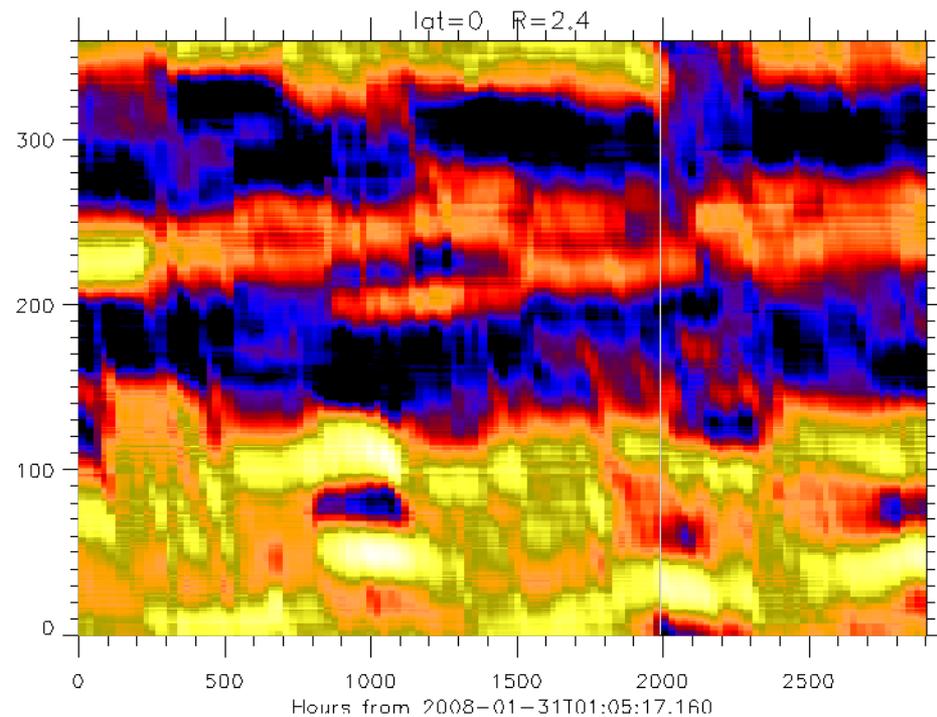
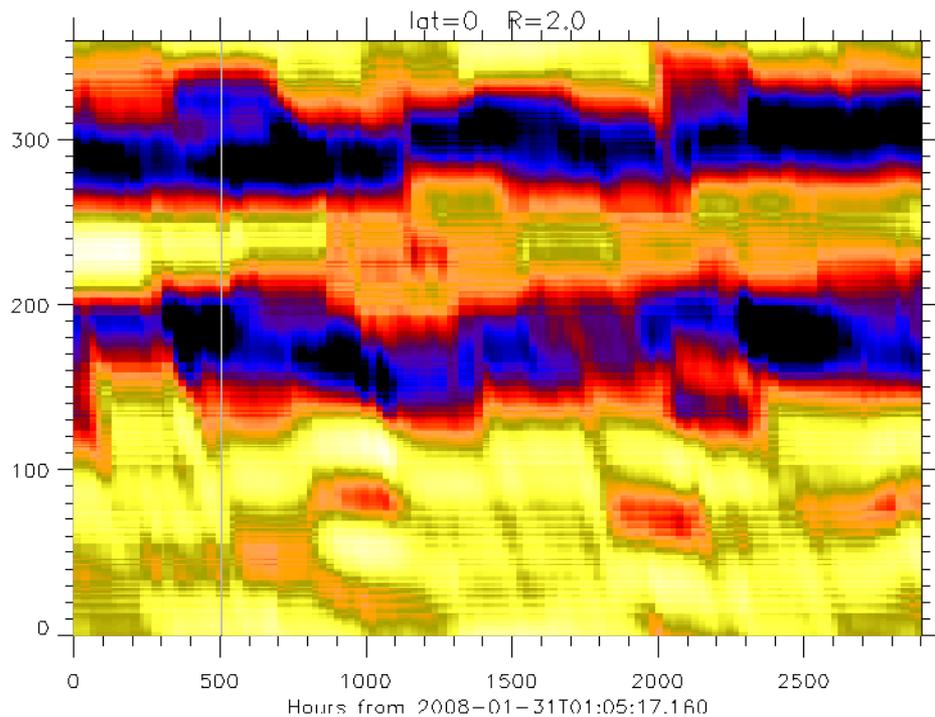
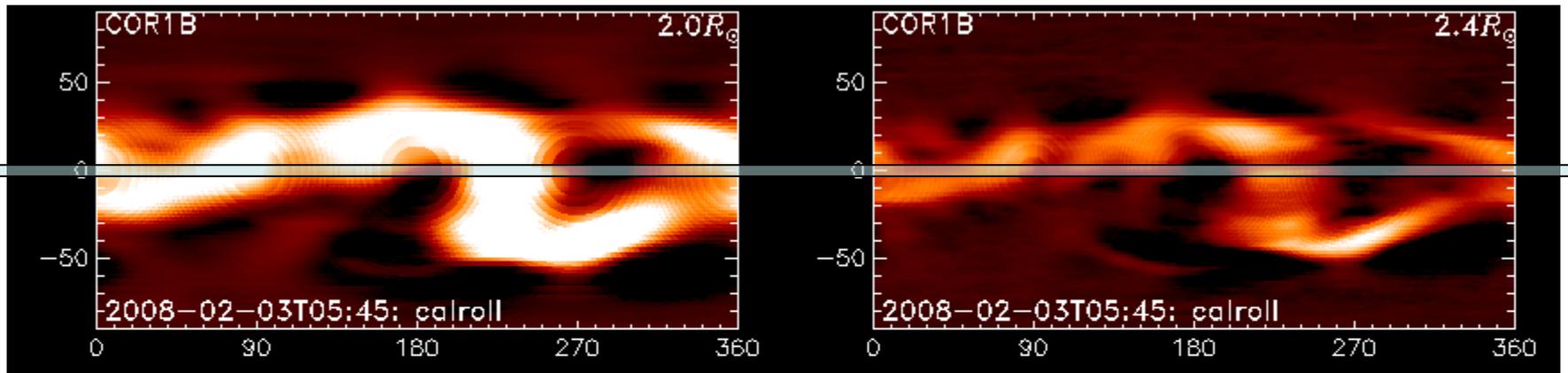


Reconstruction No 1

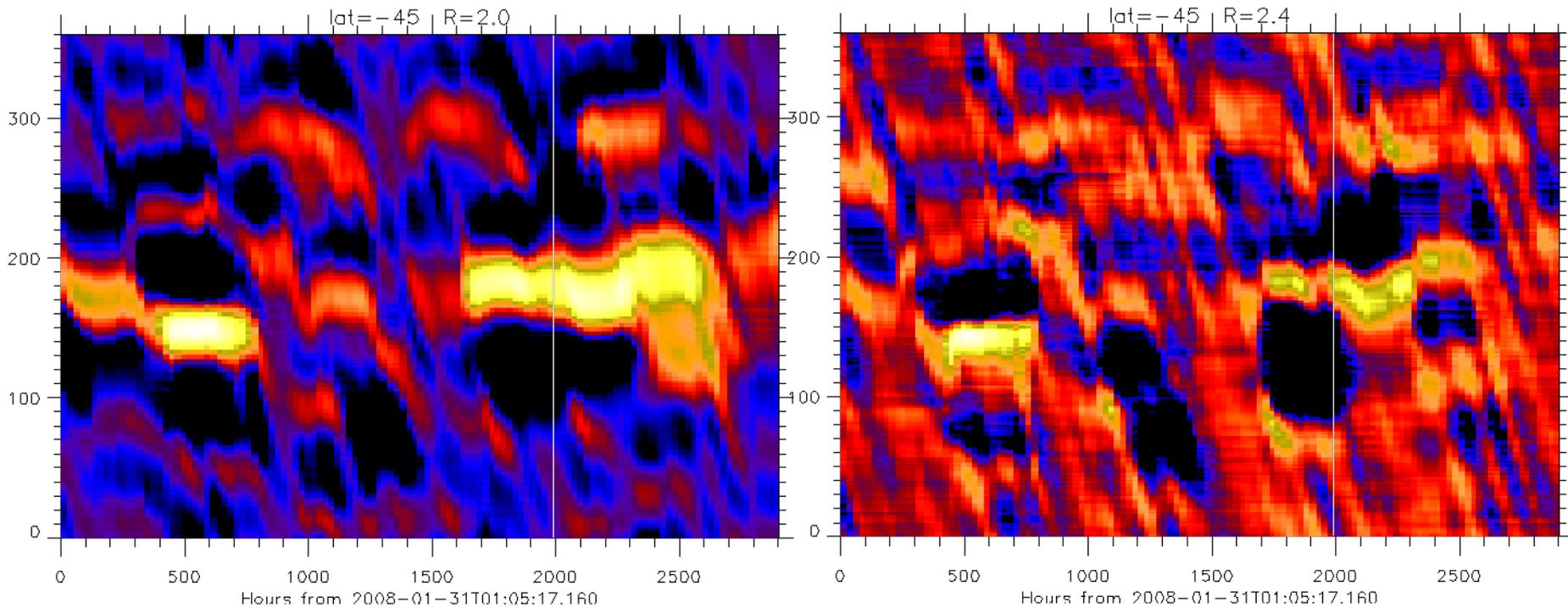
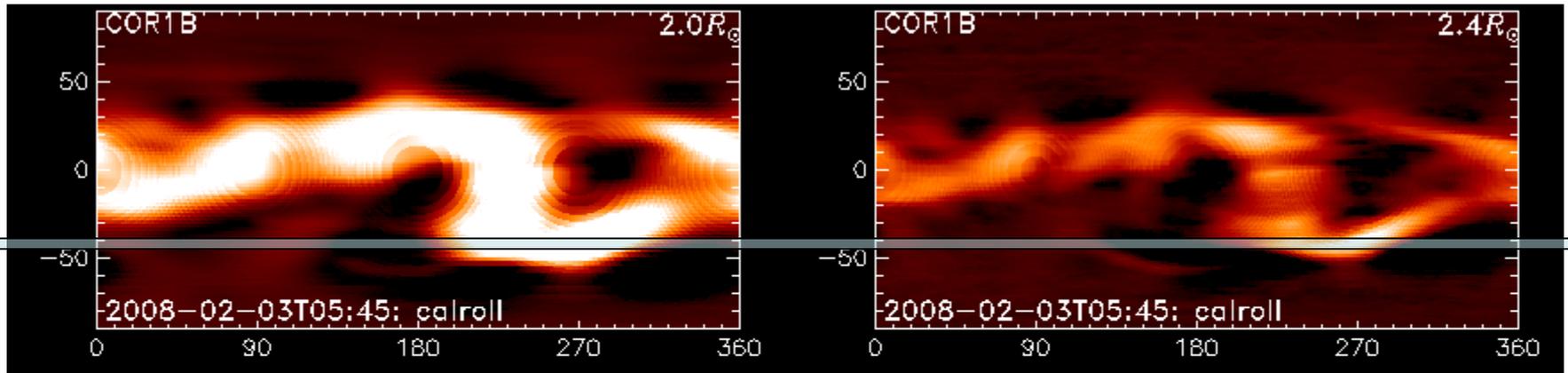


Reconstruction No 2

Reconstructions for the whole year of 2008



Reconstructions for the whole year of 2008



Conclusion

- It was found evidence of streamer blow out during CME event on June 1st 2008 – it is not LOS effect.
- Streamer mass loss for slow CME on 1st June 2008 is 9×10^{14} gram which is comparable with the CME mass in COR1 field of view
- After CME the coronal magnetic field comes to the nearly potential configuration.
- We can produce 3D tomographic reconstruction almost for any period of COR1 observations in routine way. So, more statistical study is in progress.