

# **Stereoscopic Observations of CMEs in HI fields-of-view Comparing different methods**

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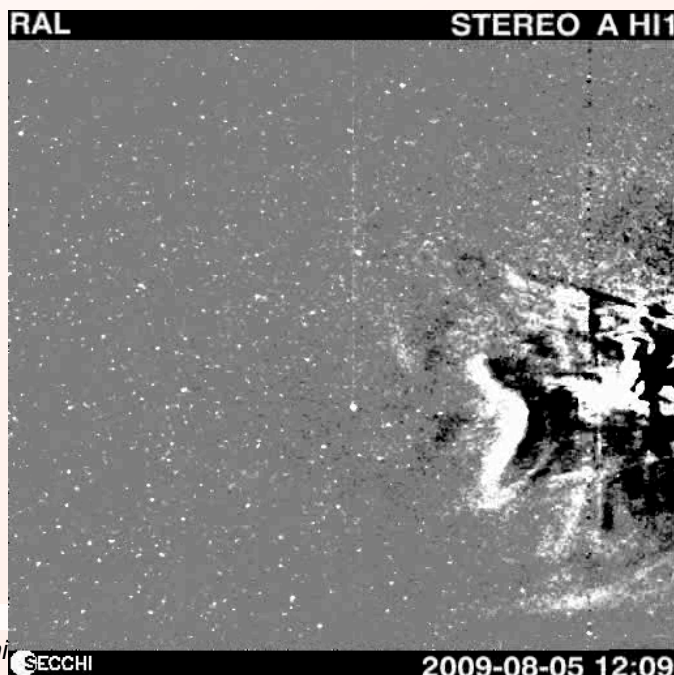
Univ. de los Andes

*SWG 21, March 25<sup>th</sup>, 2010*



# How many CMEs?

- ☉ Stereoscopic observations are very common in EUV and CORs, what about HIs?
- ☉ None in 2007.
- ☉ About 5 CMEs observed in 2008:
  - April 26 , *June 2*, August 30, November 3, December 12.
- ☉ About 10 observed in 2009 (excluding December):
  - January 9, 10 & 22, May 9 & 13, **August 25**, September 4, October 18, *November 1 & 21*.





## Existing Methods (by late 2009)

- ☉ Assume no deflection and use values from COR data. Many methods (Mierla et al., McAteer et al., Thernisien et al.) can provide “initial” direction. Problems:
  - Not enough to study heliospheric properties (deflection, etc...)
  - Not fully using HI data.
- ☉ One can fit constant ( $V, \alpha$ ) and it has proven successful (RAL). Problems:
  - Fast CMEs do not have a constant speed,
  - Different direction for ST-A and ST-B data,
  - How much better are these procedures compared to LASCO?
- ☉ Geometrical reconstruction (Wood et al.) has also proven successful (NRL).
  - Can provide size and orientation on top of direction,
  - Problems:
    - ◆ Usually used with self-similar and constant acceleration approximations.
    - ◆ More quantitative methods are needed

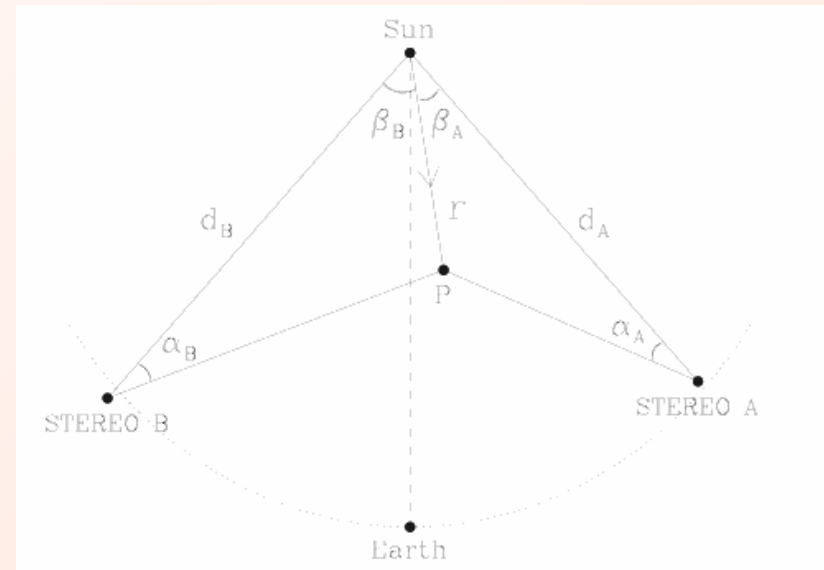


# Direct triangulation (Liu et al., 2010)

- ☉ One has to use the correct distances for the STEREO spacecraft
- ☉ Liu et al.'s formula

$$\tan \beta_A = \frac{\sin \alpha_A \sin(\alpha_B + \gamma) - \sin \alpha_A \sin \alpha_B}{\sin \alpha_A \cos(\alpha_B + \gamma) + \cos \alpha_A \sin \alpha_B}$$

- ☉ 12/12/2008 CME front 2
  - dA = 0.967 AU , dB = 1.039 AU
  - 12/15 @ 20:40UT
    - ◆ alphaA = 40.4° alphaB = 39.7°
    - ◆ Plugging in beta\_Earth = -4.5°
    - ◆ But rA = 135 Rs ≠ rB = 145 Rs
  - Correct formula:
    - ◆ Beta\_Earth = 13°
  - Here dB/dA = 1.07
    - ◆ (dB/dA)<sub>max</sub> = 1.13
    - ◆ (dB/dA)<sub>min</sub> = 1.04

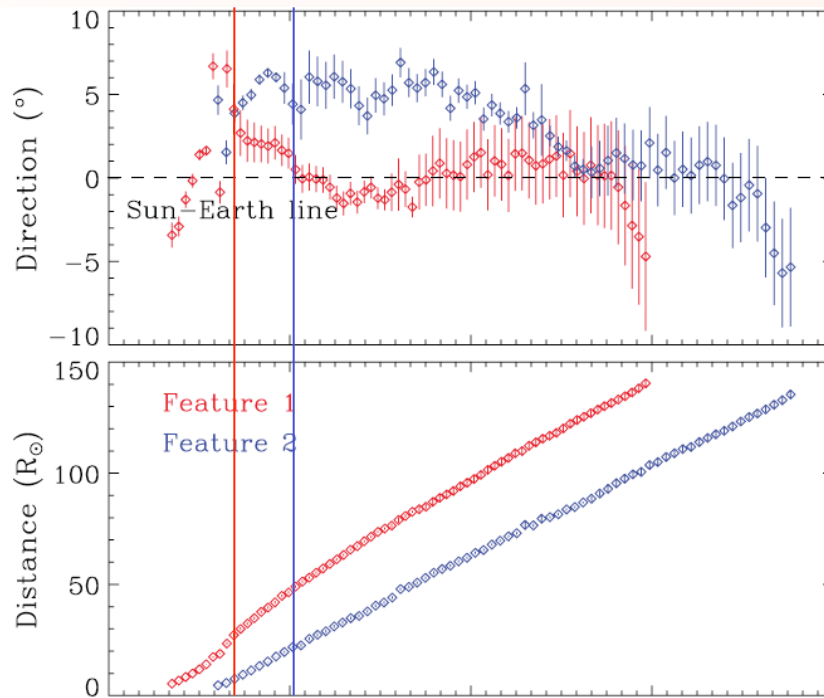


$$\tan \beta = \frac{P \sin(\alpha_A + \gamma_A) - \sin(\alpha_B + \gamma_B)}{P \cos(\alpha_A + \gamma_A) + \cos(\alpha_B + \beta_B)}$$

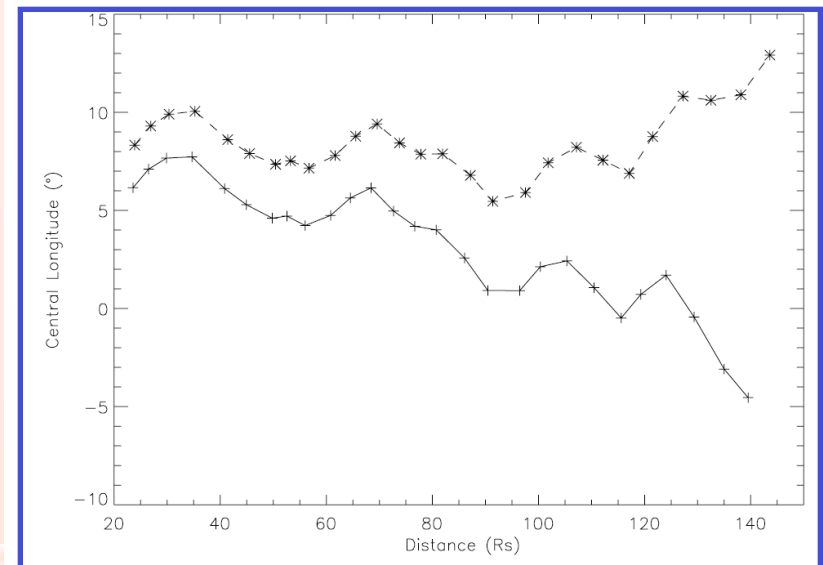
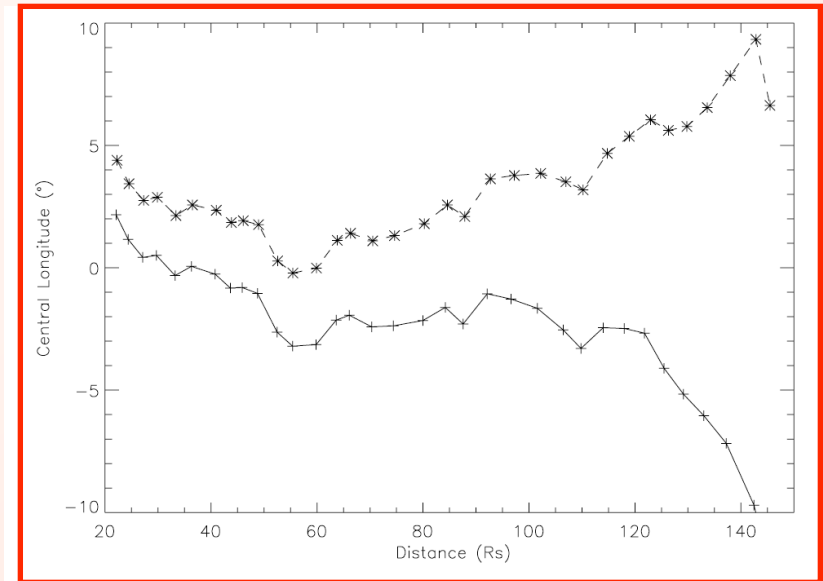
$$P = \frac{d_B \sin \alpha_B}{d_A \sin \alpha_A}$$



# Analysis of the December 12 CME with corrected formula



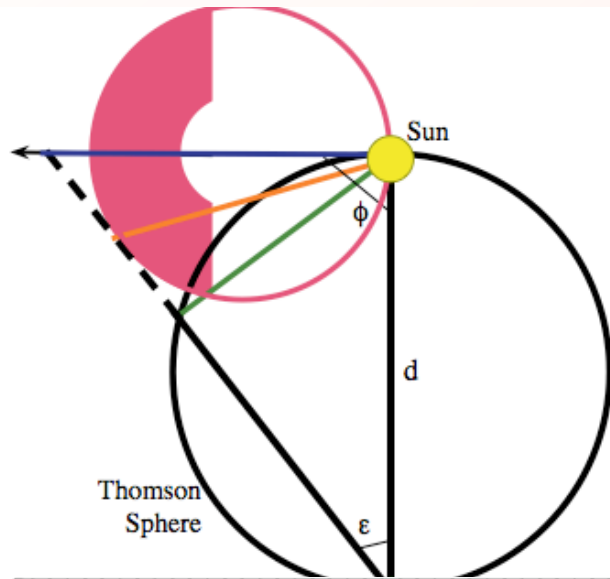
- ☉ Decrease in longitude at late time in Liu et al. (2010) is absent using the corrected formula.
- ☉ CME appears to move radially outward. Second feature is about  $5^\circ$  west of the first feature.



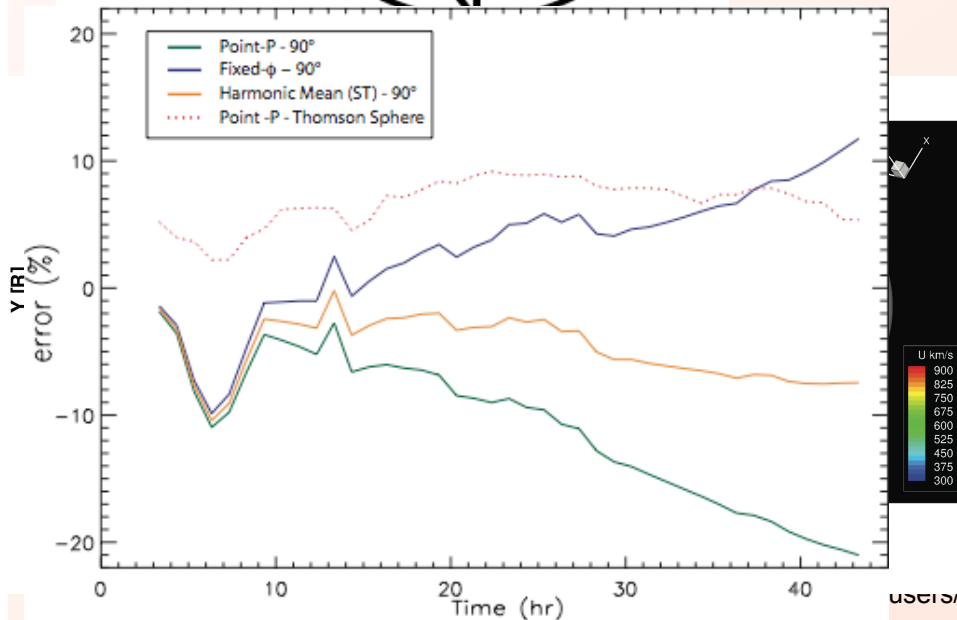


# New geometrical method to derive CME position from elongation angle

(Lugaz et al., Ann. Geo., 2009)



- Instead of using single-point approximation or assuming a spherically symmetric front we use a sphere attached to the Sun.
- New assumption is good for wide CMEs (better than Point-P).
- It can be shown that:



$$r_{F\phi} = d \sin \epsilon / \sin (\epsilon + \phi)$$

$$r_{PP} = d \sin \epsilon$$

$$r = 2d \sin \epsilon / (1 + \sin (\epsilon + \phi))$$

$$1/r = .5 (1/r_{PP} + 1/r_{F\phi})$$





# Geometrical Model

Fixed size

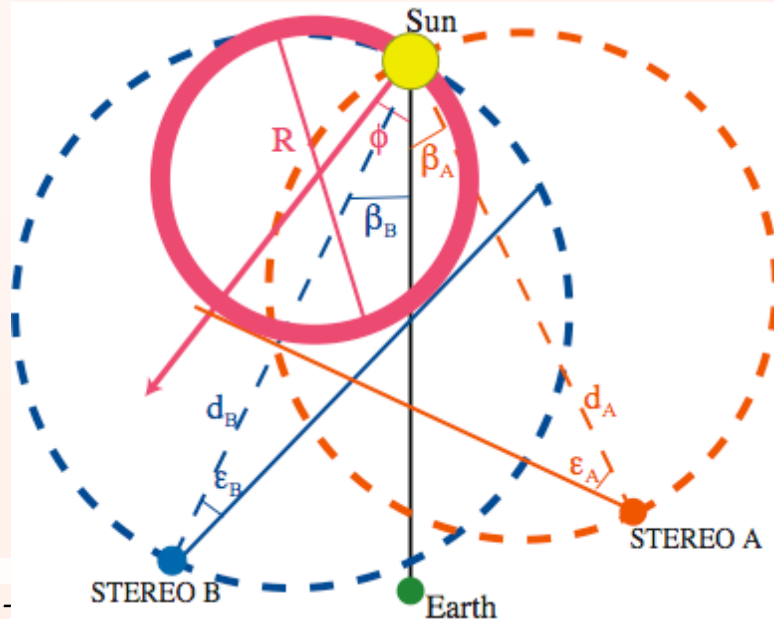
Varying direction

$$\phi = \arcsin\left(\frac{P-1}{Q}\right) + \beta, \quad \text{with}$$

$$P = \frac{d_B \sin \alpha_B}{d_A \sin \alpha_A},$$

$$Q = \sqrt{P^2 + 2P \cos(\gamma_B + \gamma_A + \alpha_B + \alpha_A) + 1}, \quad \text{and}$$

$$\tan \beta = \frac{P \sin(\gamma_A + \alpha_A) - \sin(\gamma_B + \alpha_B)}{P \cos(\gamma_A + \alpha_A) + \cos(\gamma_B + \alpha_B)}.$$

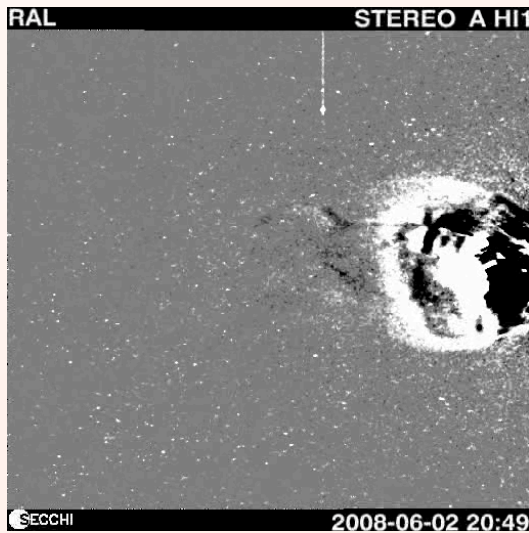
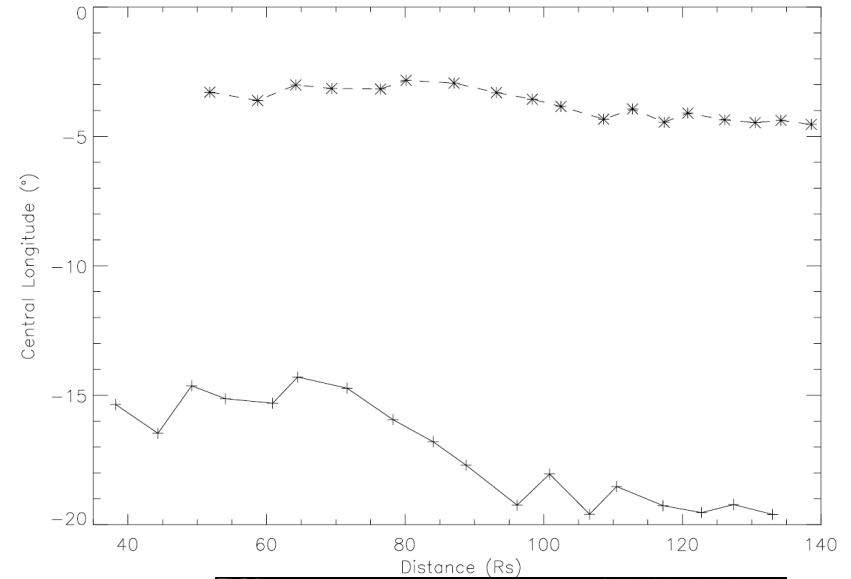


- ☉ Same as previous model but with 2 spacecraft.
- ☉ **Both satellites do not observe the same plasma element.**
  - Red box: same as direct triangulation
  - Blue box: new term
- ☉ Can track CMEs which are not propagating between the spacecraft.



# June 2, 2008 CME

- ☉ RAL:
  - ST-A:  $V = 366 \text{ km/s}$ ,  $\text{beta} = -24^\circ \pm 5.5^\circ$
  - ST-B:  $V = 298 \text{ km/s}$ ,  $\text{beta} = 21^\circ \pm 11.5^\circ$
- ☉ Triangulation:
  - $V = 342 \text{ km/s}$ ,  $\text{beta} = -4^\circ$
- ☉ Tangent:
  - $V = 374 \text{ km/s}$ ,  $\text{beta} = -17^\circ$
- ☉ Thernisien et al. (2009):
  - $V = 260 \text{ km/s}$ ,  $\text{beta} = -37^\circ$



- ☉ IMPACT level 3 data
  - MC at ST-B
    - ◆ Starts 06/06 at 22UT
    - ◆ Finish 06/07 at 12:30UT
  - Nothing at ST-A and at **ACE**
- ☉ Separation between B and Earth:  $25.4^\circ$

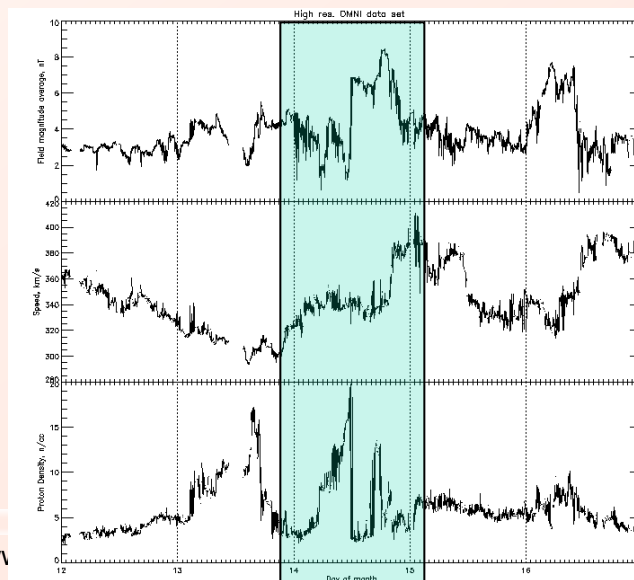
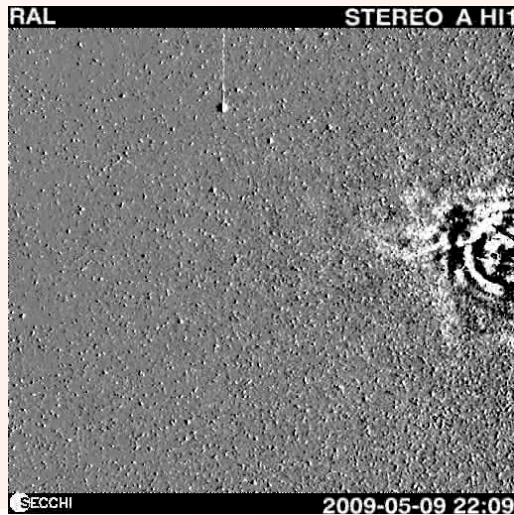
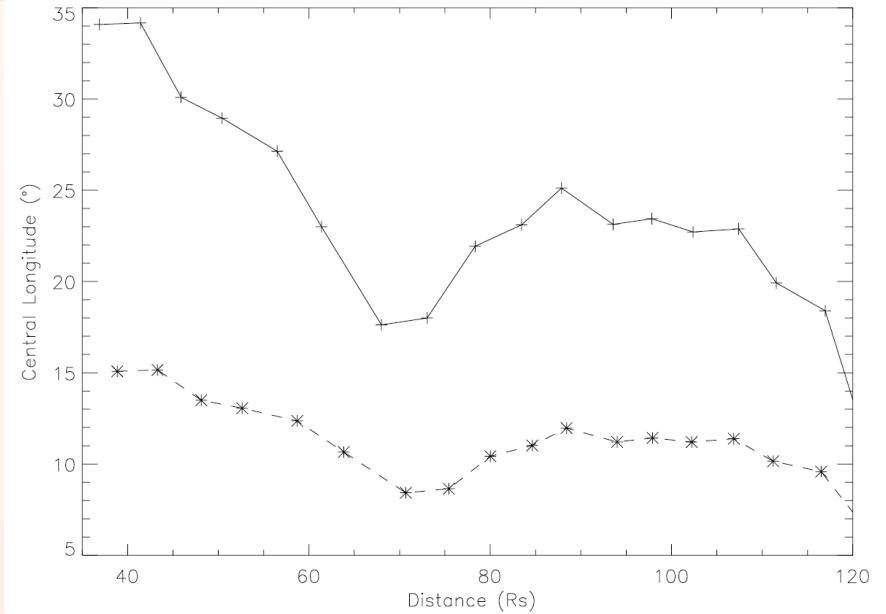






# May 9, 2009 CME

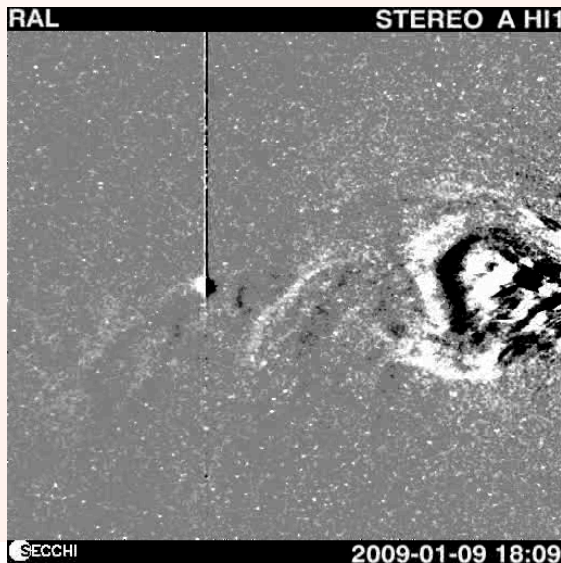
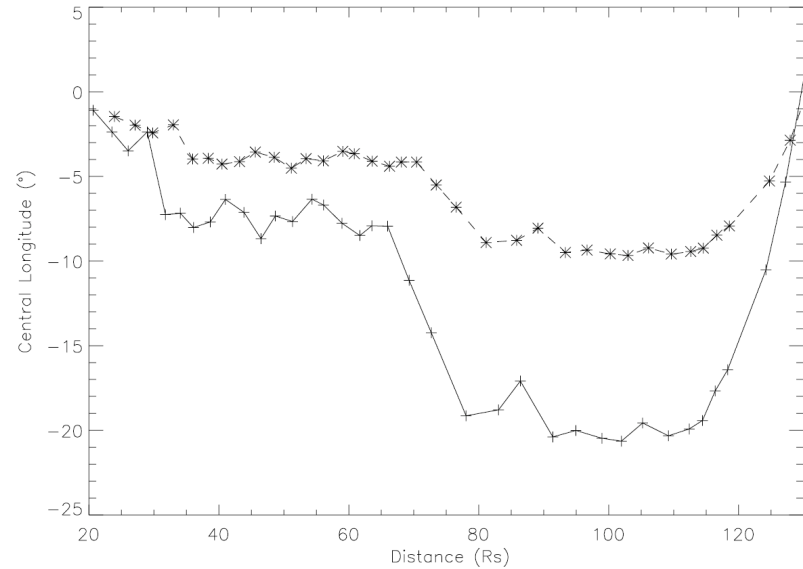
- ☉ RAL:
  - ST-A:  $V = 333$  km/s,  $\beta = 10^\circ \pm 6^\circ$
  - ST-B:  $V = 305$  km/s,  $\beta = 8^\circ \pm 11.5^\circ$
- ☉ Triangulation:
  - $V = 327$  km/s,  $\beta = 12^\circ$
- ☉ Tangent
  - $V = 337$  km/s,  $\beta = 33^\circ$  to  $18^\circ$
  
- ☉ Nothing in ST-A and ST-B
- ☉ Possibly (?) something in ACE



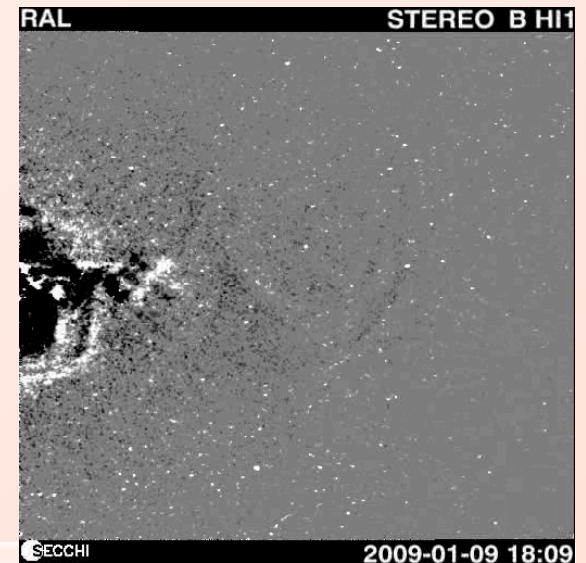


# Jan. 9, 2009 CME

- ☉ RAL:
  - ST-A:  $V = 352 \text{ km/s}$ ,  $\beta = -33^\circ \pm 17^\circ$
  - ST-B:  $V = 321 \text{ km/s}$ ,  $\beta = -14^\circ \pm 7.5^\circ$
- ☉ Triangulation (up to 0.55 AU):
  - $V = 318 \text{ km/s}$ ,  $\beta = -6^\circ$
- ☉ Tangent (up to 0.55 AU):
  - $V = 325 \text{ km/s}$ ,  $\beta = -11.5^\circ$
- ☉ Separation Earth-B :  $46.5^\circ$



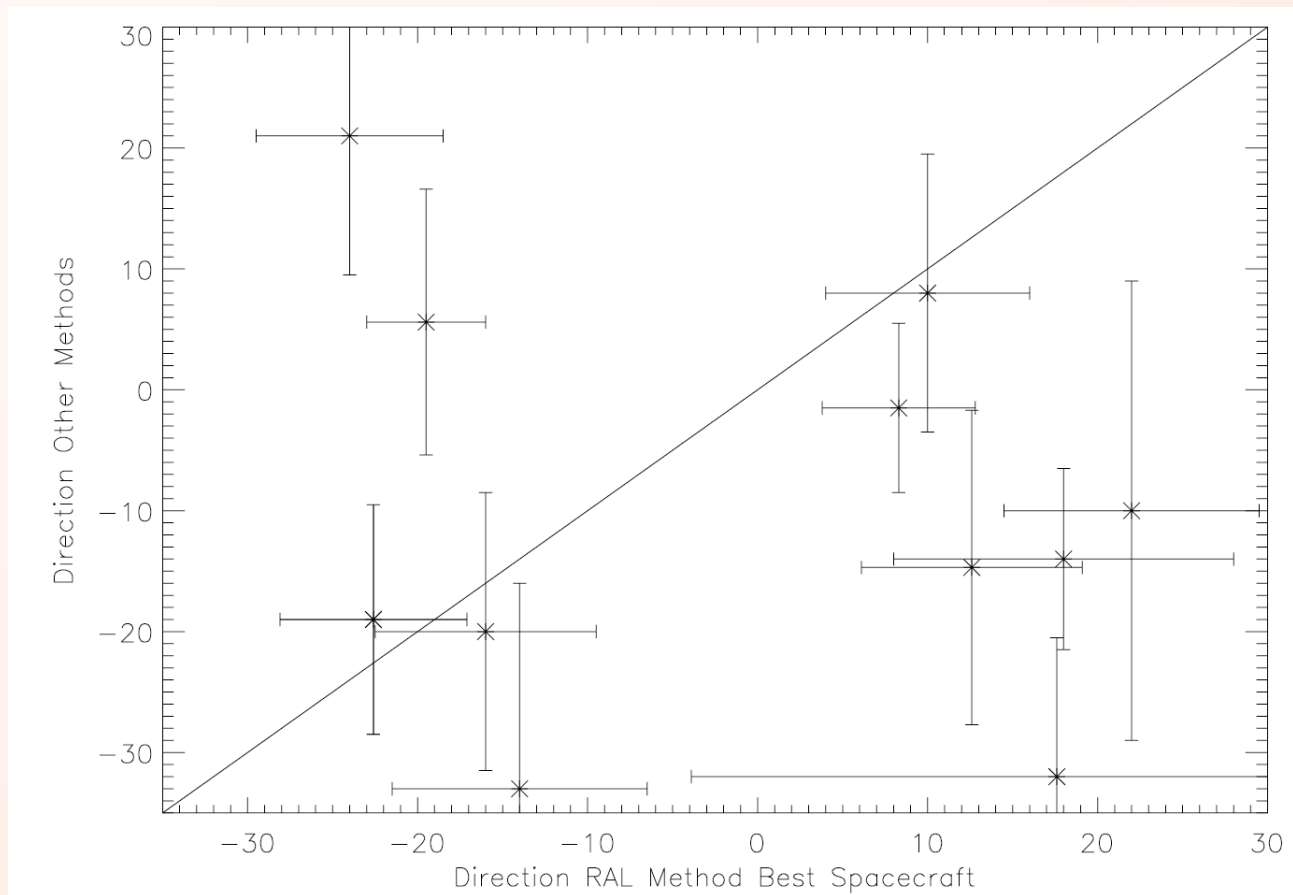
- ☉ IMPACT level 3 data
  - MC at ST-B
    - ◆ Starts 01/13 UT at 05UT
    - ◆ Finish 01/13 at 22UT
  - Nothing at ST-A and ACE
- ☉ Good candidate (not a nicer CME within 2 days)
- ☉ Indication of  $\beta < -25^\circ$





# Comparisons

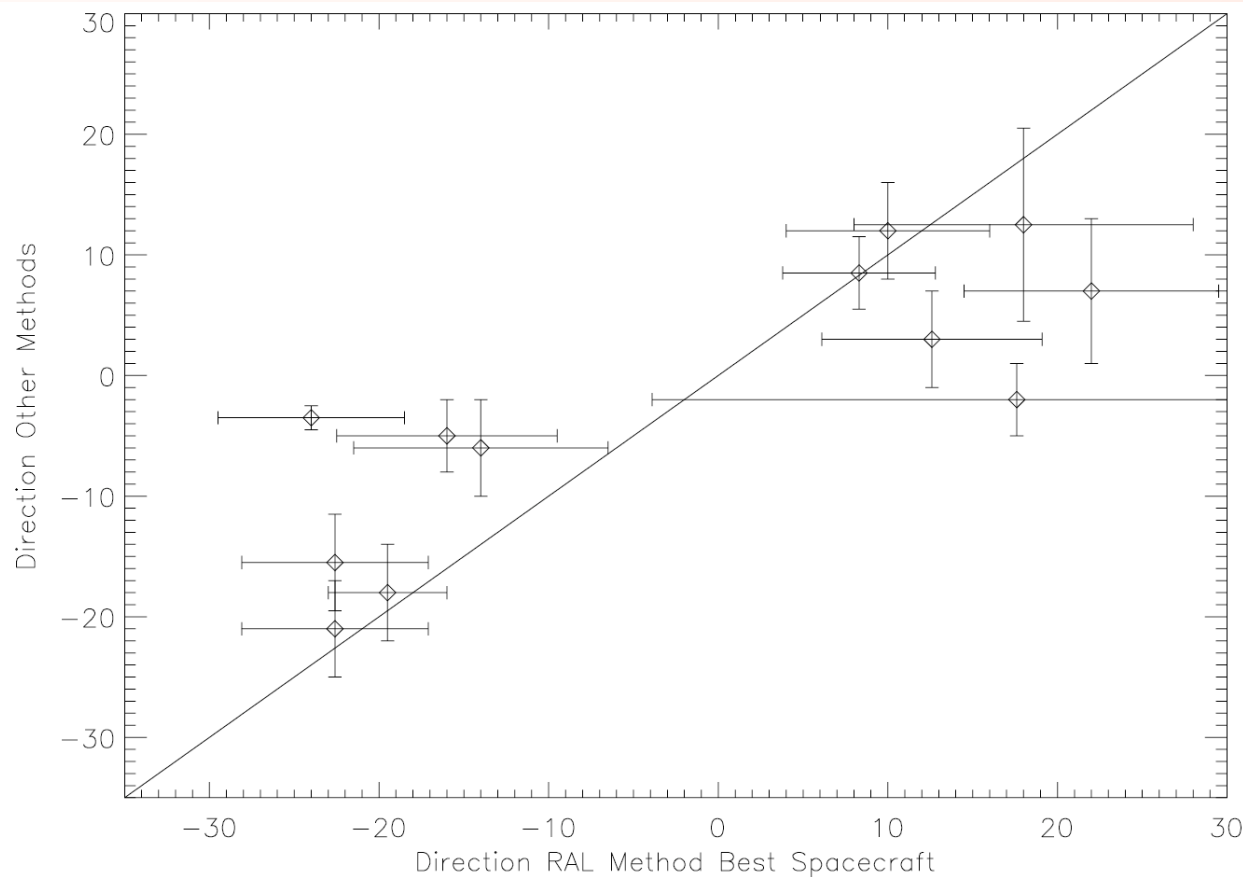
- ☉ STEREO Best vs. other STEREO: method of Rouillard et al.
  - More or less random (correl = -0.135)





# Comparisons

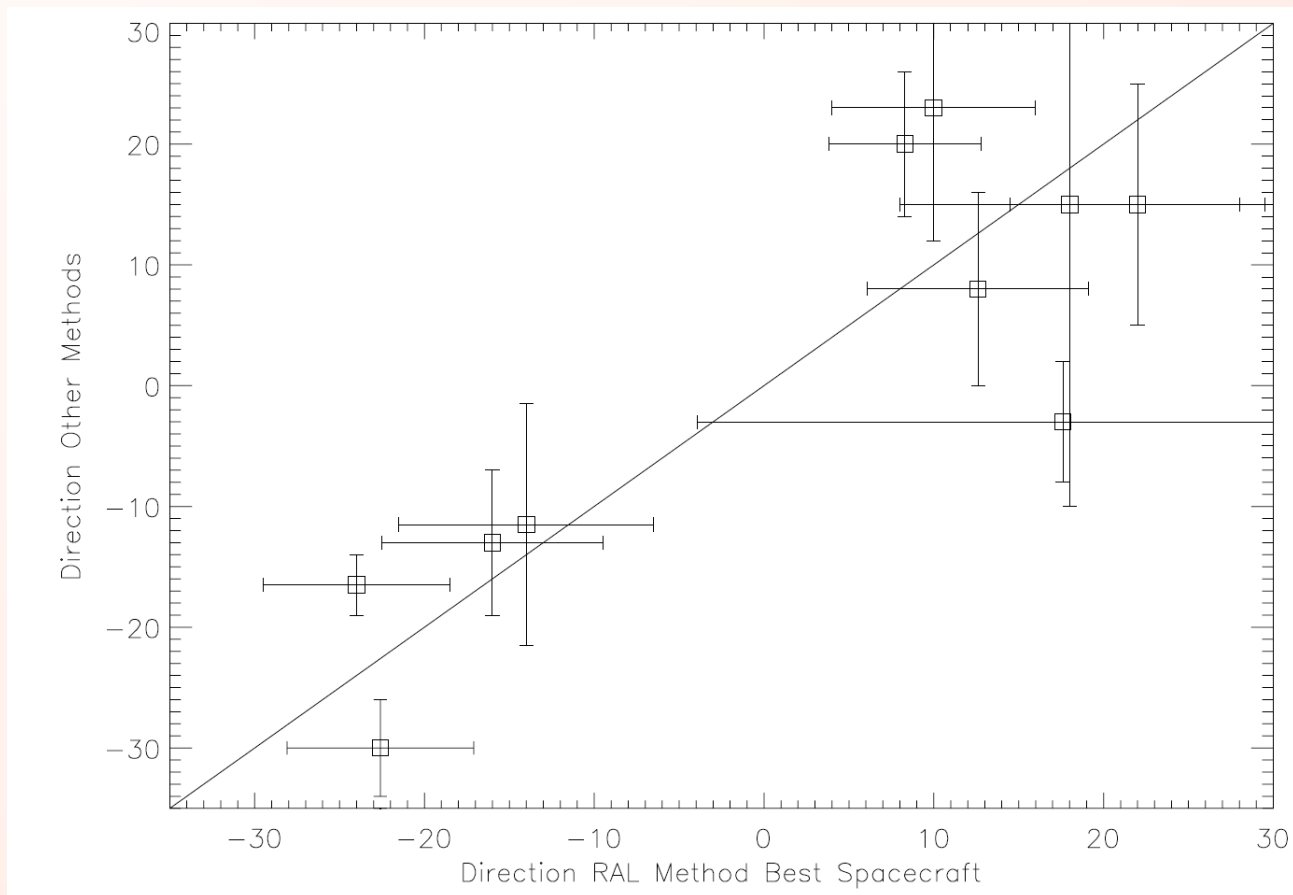
- ☉ STEREO Best vs. Triangulation: method of Liu et al. (2010)
  - Relatively good agreement (correl. 0.82)





# Comparisons

- ☉ STEREO Best vs. Tangent: method of Lugaz et al. (2010)
  - Good agreement (correl 0.85), method is noisier, some points are off

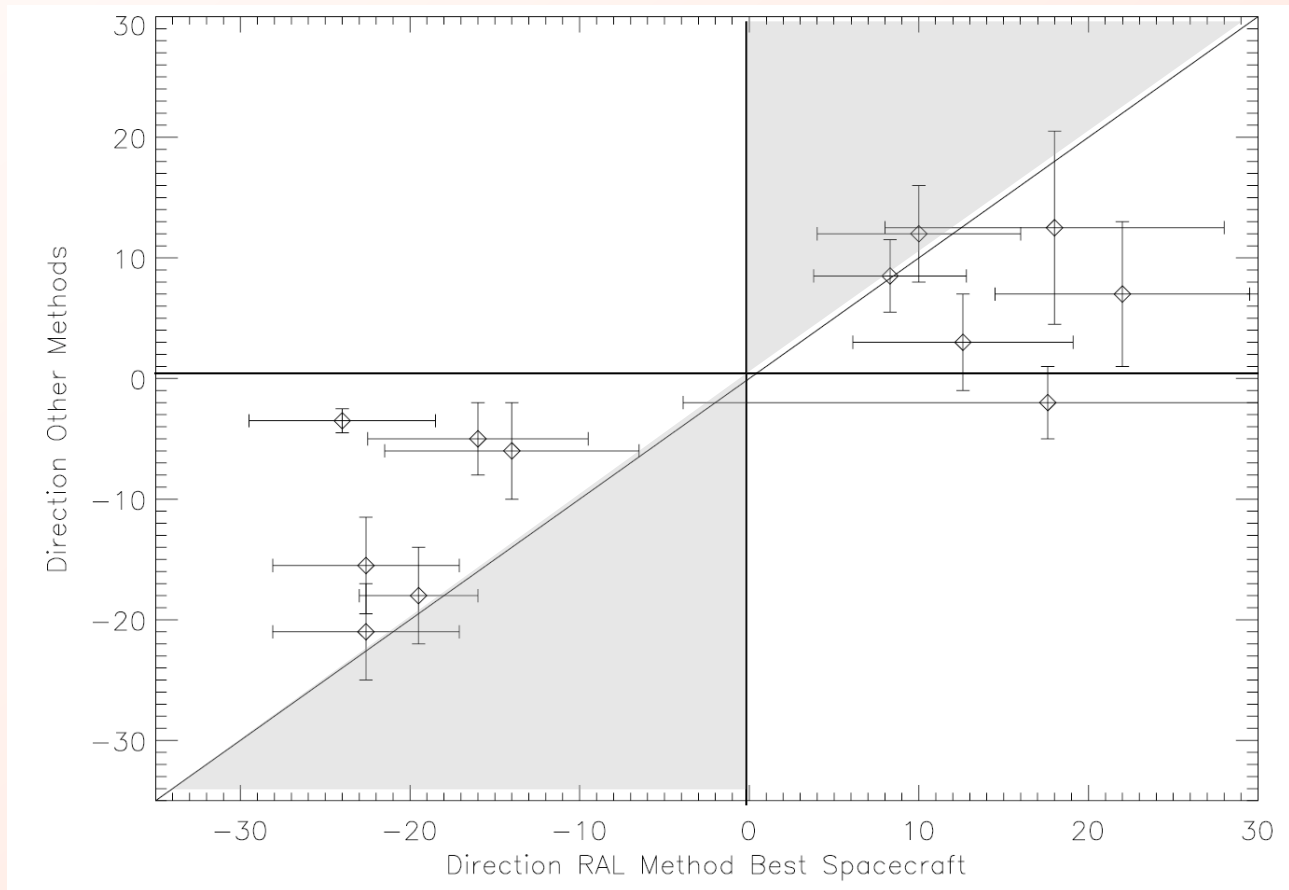






# Comparisons

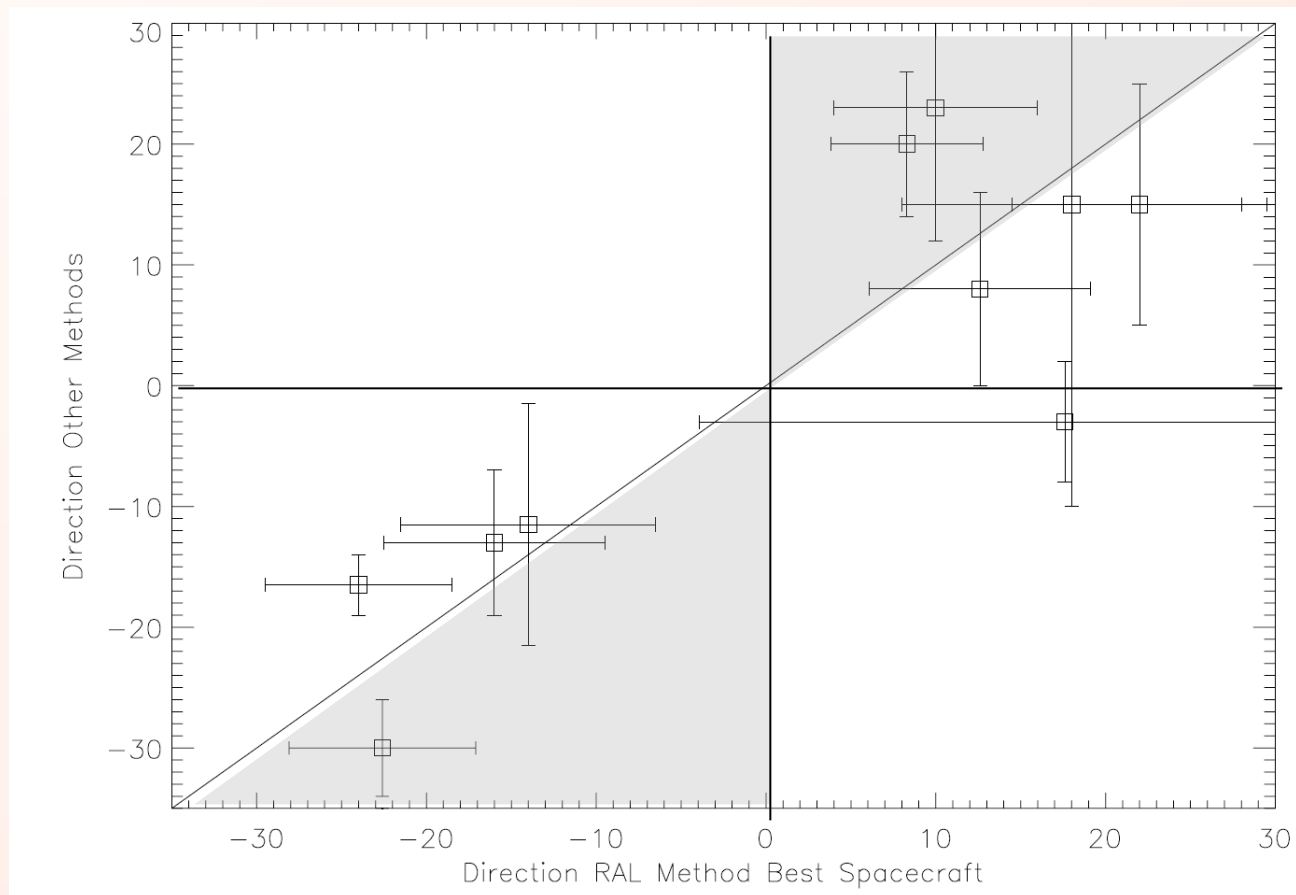
- STEREO Best vs. Triangulation: method of Liu et al. (2010)
  - Triangulation systematically under-estimate the absolute value of the direction





# Comparisons

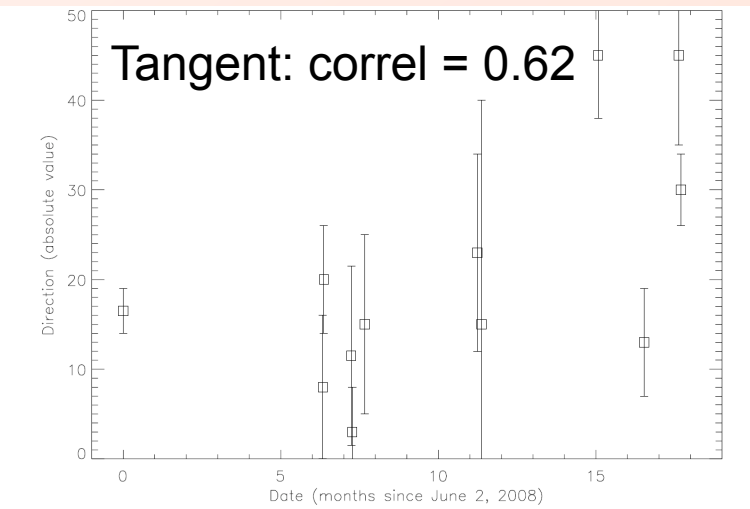
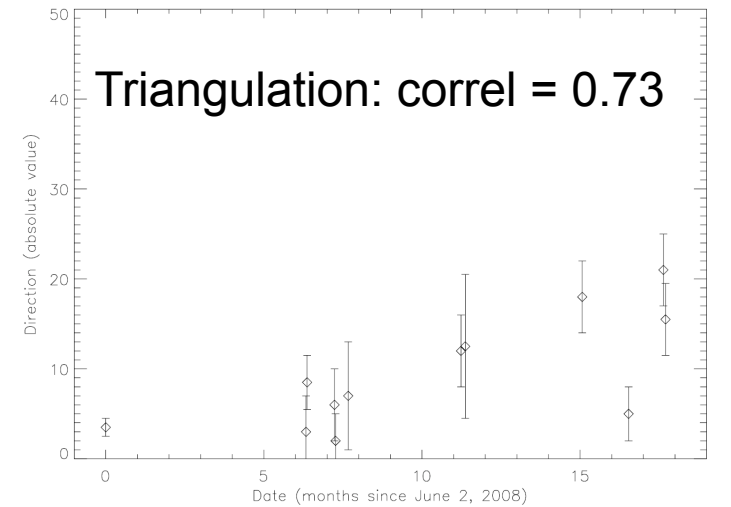
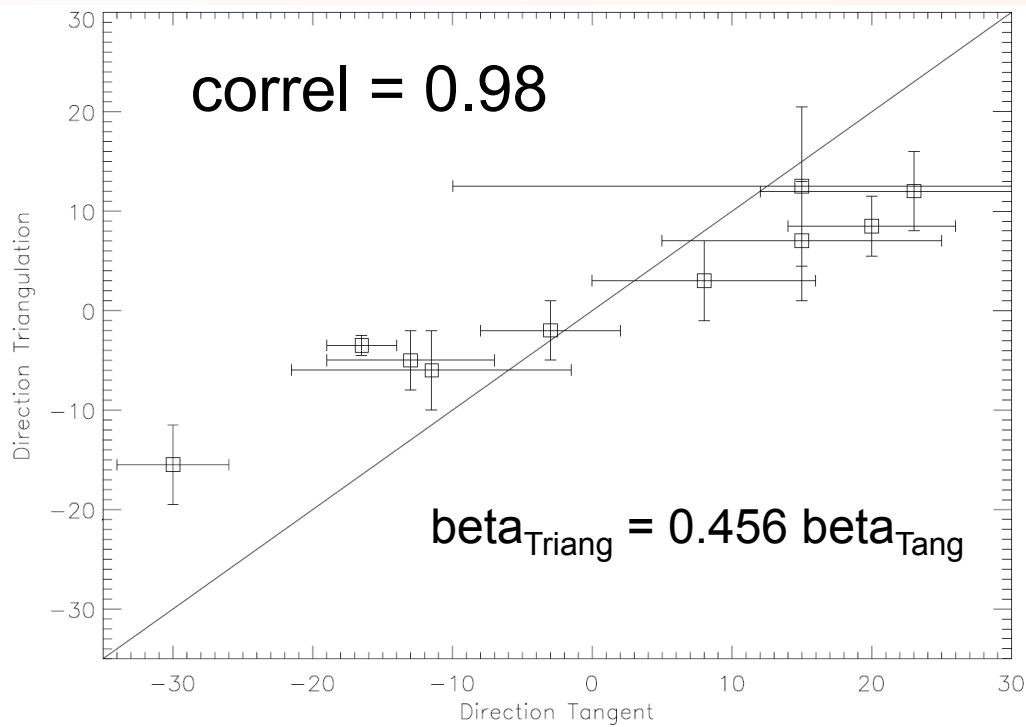
- ☉ STEREO Best vs. Tangent: method of Lugaz et al. (2010)
- Not such issue





# Comparisons

## ☉ Tangent vs. Triangulation:

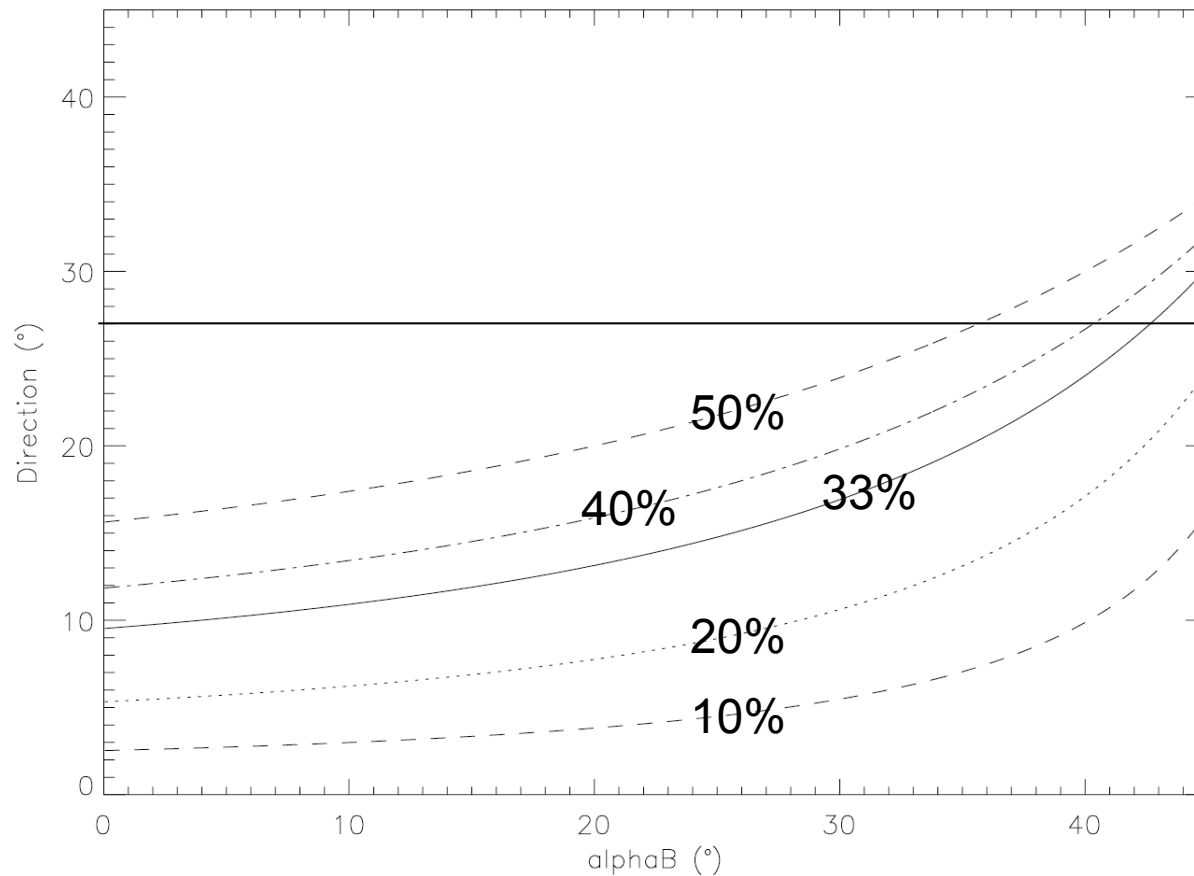


Correlation between ST-A and time = 0.18



# Triangulation Limitations

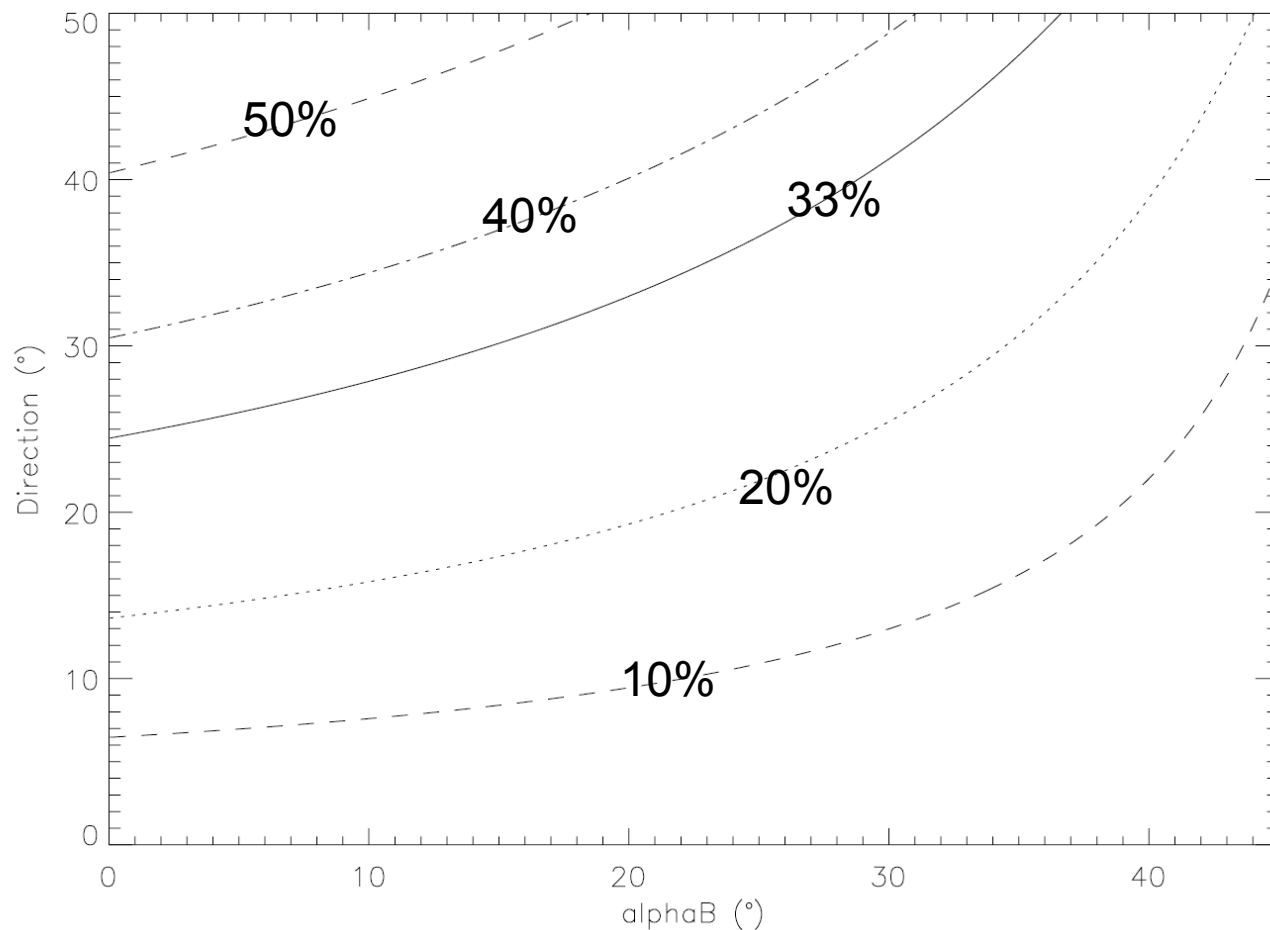
- ☉ Direction of propagation vs. angle and angular asymmetry for separation between A and B of 80° (corresponds to late Oct. 2008).
- ☉ 50% means  $\alpha_B = 2 \alpha_A$  (33 % for example  $\alpha_B = 24^\circ$ ,  $\alpha_A = 16^\circ$ ).





# Tangent Absence of Limitation

- ☉ Direction of propagation vs. angle and angular asymmetry for separation between A and B of  $80^\circ$  (corresponds to late Oct. 2008).
- ☉ 50% means  $\alpha_B = 2 \alpha_A$  (33 % for example  $\alpha_B = 24^\circ$ ,  $\alpha_A = 16^\circ$ ).





# Conclusions



## ☼ **Methods to evaluate CME direction:**

- Direction from the procedure of Rouillard et al. gives good results, as long as one chooses the best-observing spacecraft.
- Triangulation also works well, **but limited to CMEs propagating close to the Sun-Earth line** (will never give results greater than 1/3 of spacecraft separation).
- New method based on tangent does not have this limitation but appears more noisy.
- I believe tests of methods from real data is limited because no wide and fast CMEs have yet been imaged (except 01/25/2007, only CME > 1000 km/s in HI FOV)
  - ◆ Constant speed cannot be assumed for fast CMEs.
  - ◆ Fixed-Phi approximation and triangulation shall fail for wide CMEs.

## ☼ **CME properties:**

- There seems to be no deflection of CMEs in the heliosphere.
- More CMEs are needed to really test this.
- Methods must be validated, probably with simulated data.
- Most of the deflection happens in the corona (first 10 solar radii).